

# Exploring new radar constraints on cloud microphysical uncertainty

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# “New” radar observations

- \* Polarimetric Radar

- \* Not “new” (e.g. Seliga & Bringi 1976)
- \* Information about shape, phase, habit, particle size distribution of hydrometeors
- \* Area of active research to determine information relevant to micorphysics

- \* Doppler Spectra

- \* Also not new (fundamental derived variable from radar)
- \* 0th moment: Reflectivity, 1st moment: mean Doppler velocity...
- \* Vertically pointing: gives information about PSD of precip & air motion.



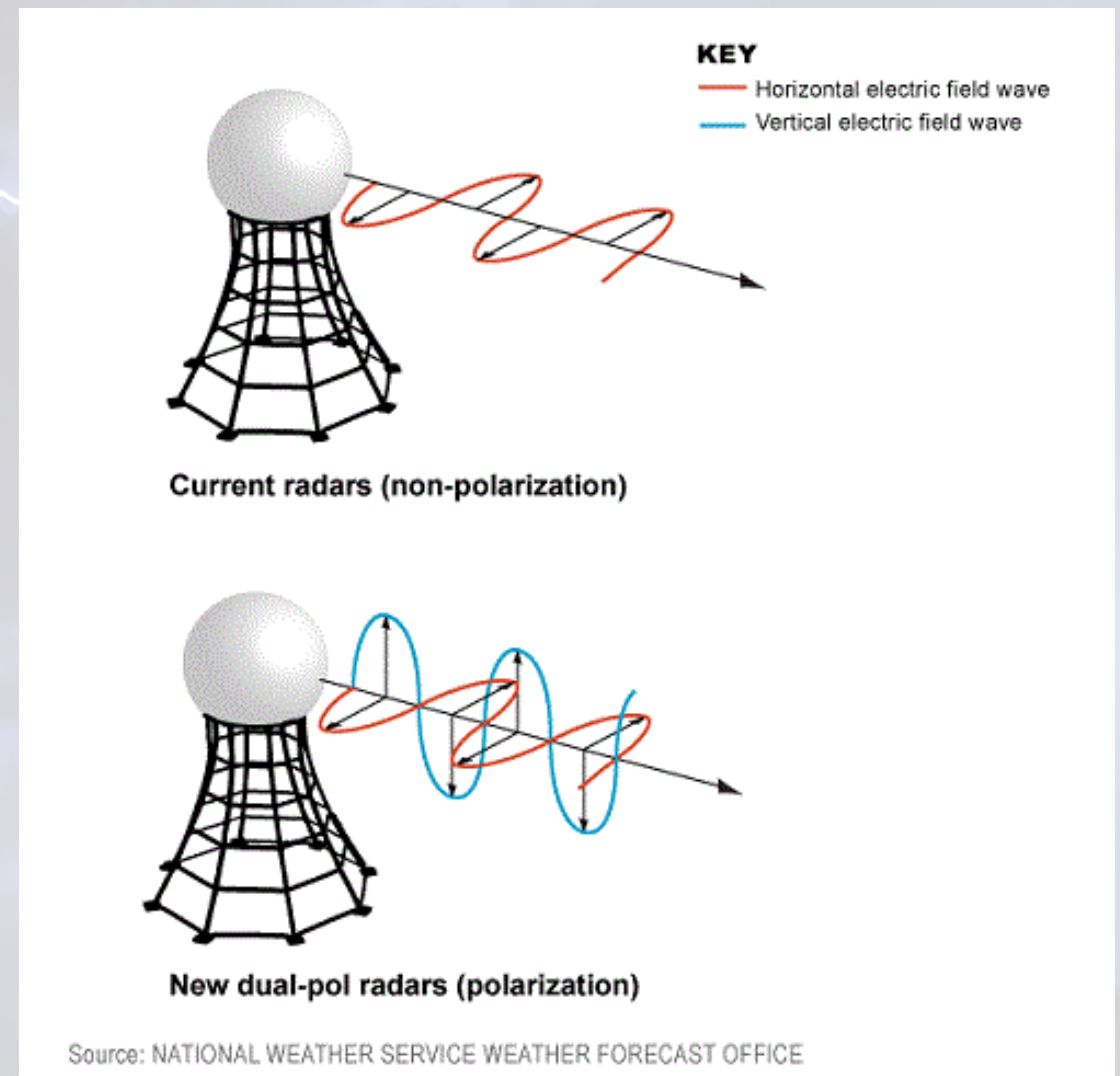
# What questions can polarimetric radar help with?

- \* What are the characteristics of deep convective updrafts (in mid-latitudes and tropics)?
- \* Cloud resolving models tend to overestimate w (Varble et al. 2014)
- \* Multi-Doppler retrievals are far from perfect, can polarimetric radar fill in the gaps?
- \* [www.giss.nasa.gov/staff/mvanlier-walqui/wind\\_pol\\_520.html](http://www.giss.nasa.gov/staff/mvanlier-walqui/wind_pol_520.html)



# Polarimetric radar

- ▶ Transmit both horizontally and vertically polarized waves
- ▶ Compare returned horizontal and vertical signals
- ▶ Provides information on shape/cant/phase, etc.
- ▶ NWS NEXRAD radar network completed polarimetric upgrade this year



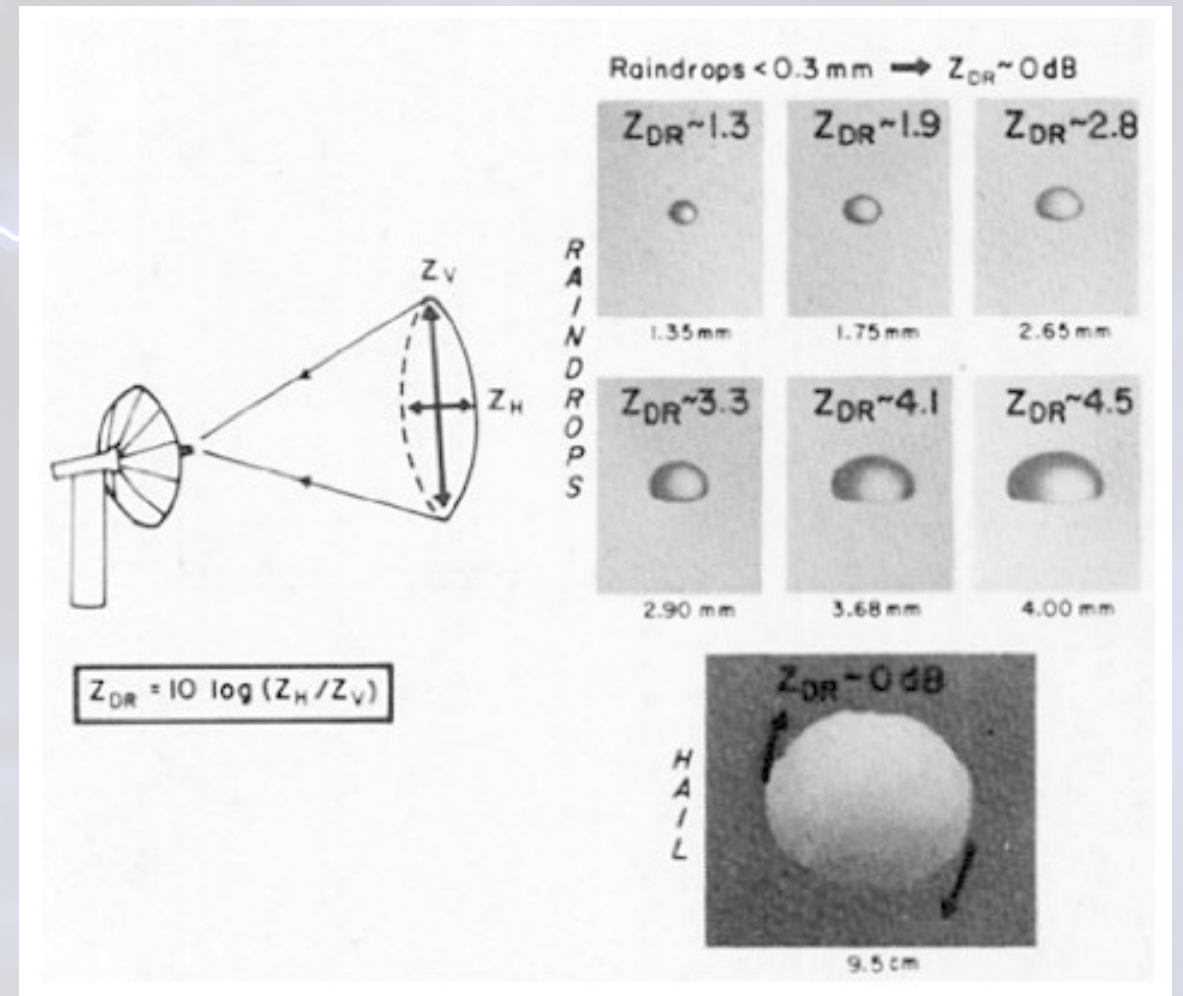


# Polarimetric variables – ZDR

## Differential reflectivity

$$Z_{DR} = 10 \log_{10}(z_{hh}/z_{vv})$$

- ▶ Sensitive to oblateness of particles  $\therefore$  rain size
- ▶ Insensitive to concentration
- ▶ Strongly affected by attenuation



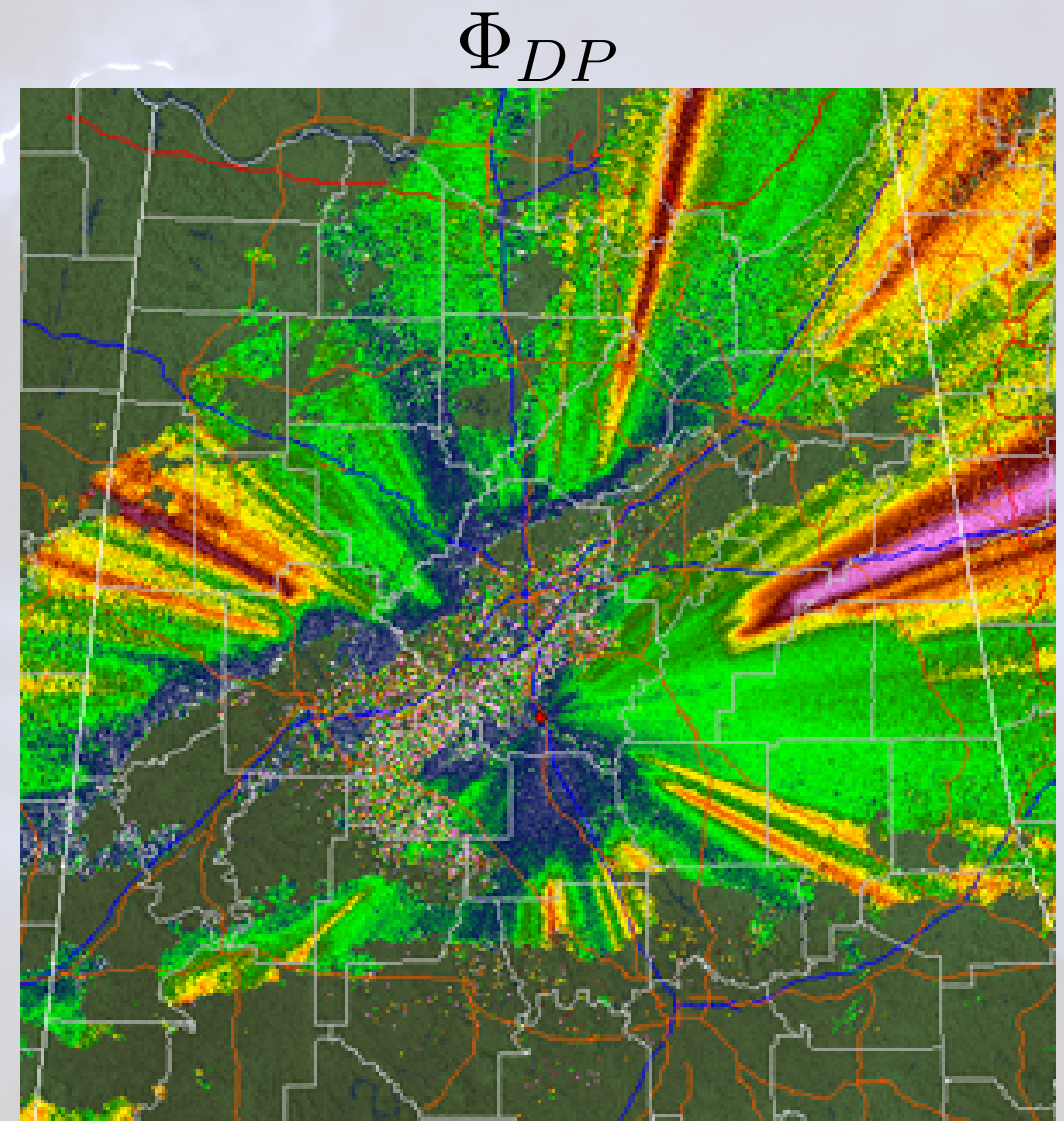
From Wakimoto & Bringi (Monthly Weather Review 1988).



# Polarimetric variables – $\Phi_{DP}$ & $K_{DP}$

Differential Phase ( $\Phi_{DP}$ ) &  
Specific Differential Phase  
( $K_{DP}$ )

- ▶ Difference in phase between horizontal and vertical pulses
- ▶ Similar in some ways to ZDR
- ▶ Insensitive to attenuation
- ▶ Sensitive to concentration
- ▶  $K_{DP} = \text{range derivative of } \Phi_{DP}$



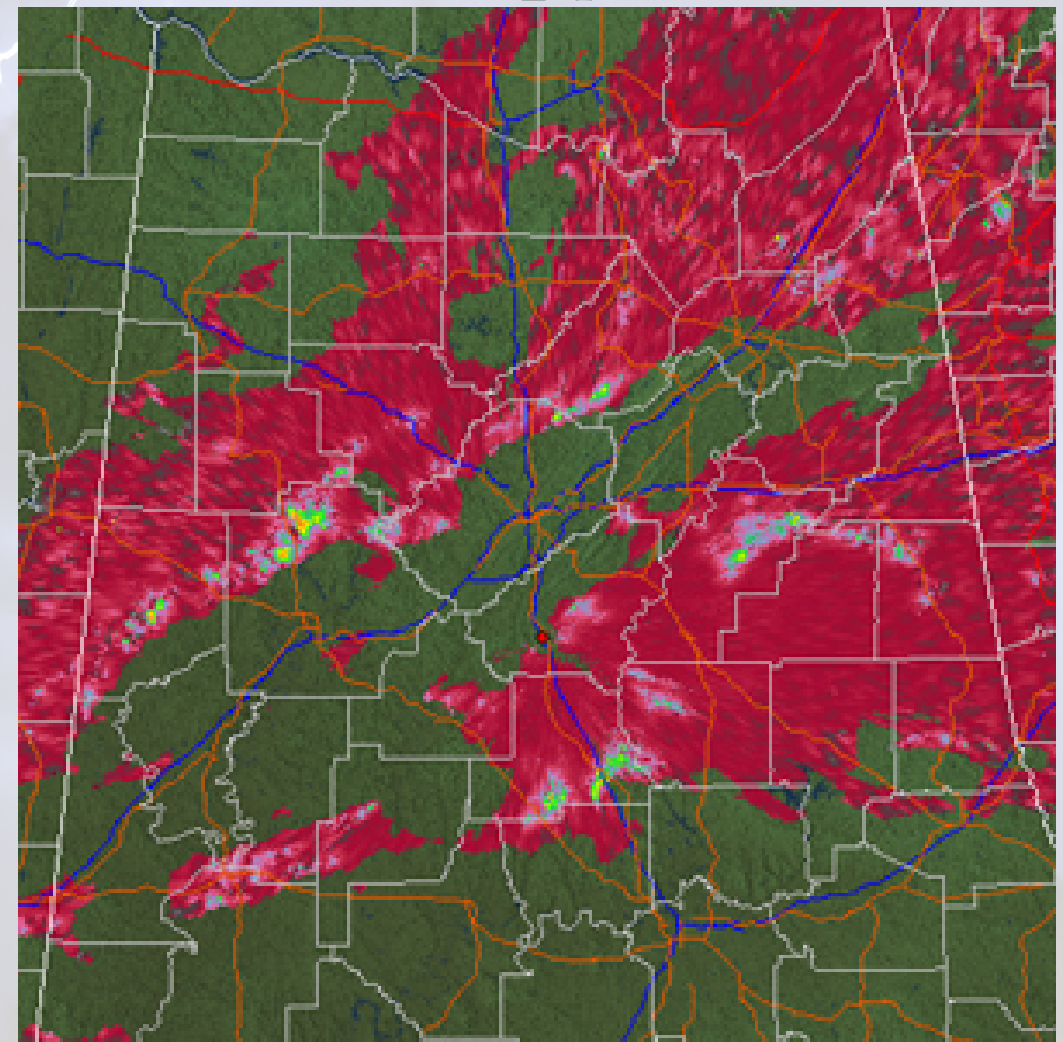


# Polarimetric variables – $\Phi_{DP}$ & $K_{DP}$

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$K_{DP}$





# Polarimetric variables – Summary

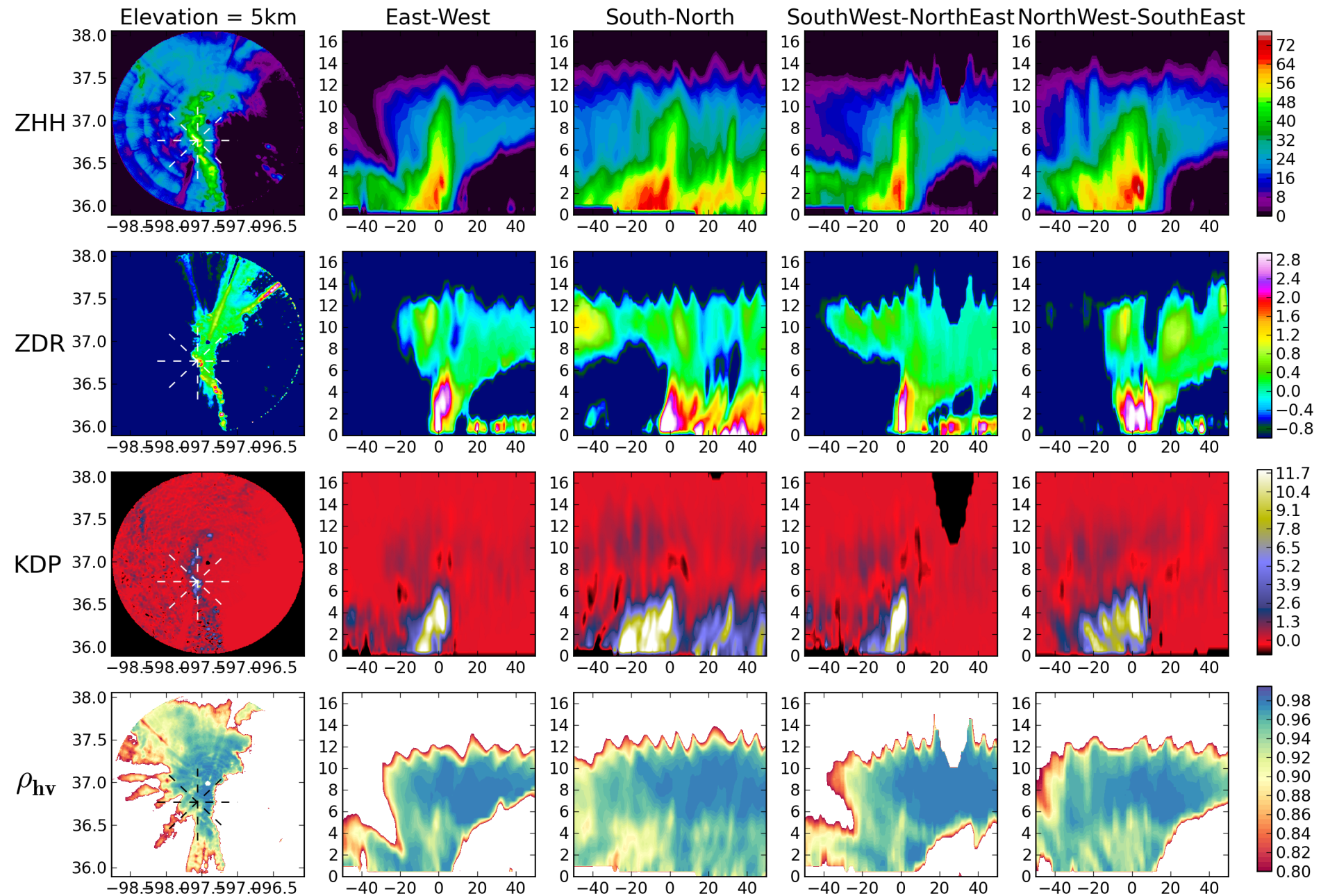
TABLE 1. Attributes of polarimetric variables (for 5- and 10-cm wavelengths).

Attribute Variable	Independent of absolute radar	Immune to propagation effects calibration	Immune to noise bias	Used for quantitative estimation	Independent of concen- tration
$Z_h$	no	no	no	yes	no
$Z_{DR}$	yes	no	no	yes	yes
$K_{DP}$	yes	yes	yes	yes	no
$\rho_{hv}$	yes	yes	no	no	yes
$\delta$	yes	no	yes	no	yes
LDR	yes	no	no	no	yes



# KDP & ZDR columns

KDP column no. 1; May 20 2011 -- 10:18:40.





# Investigation of KDP columns in deep convective updrafts

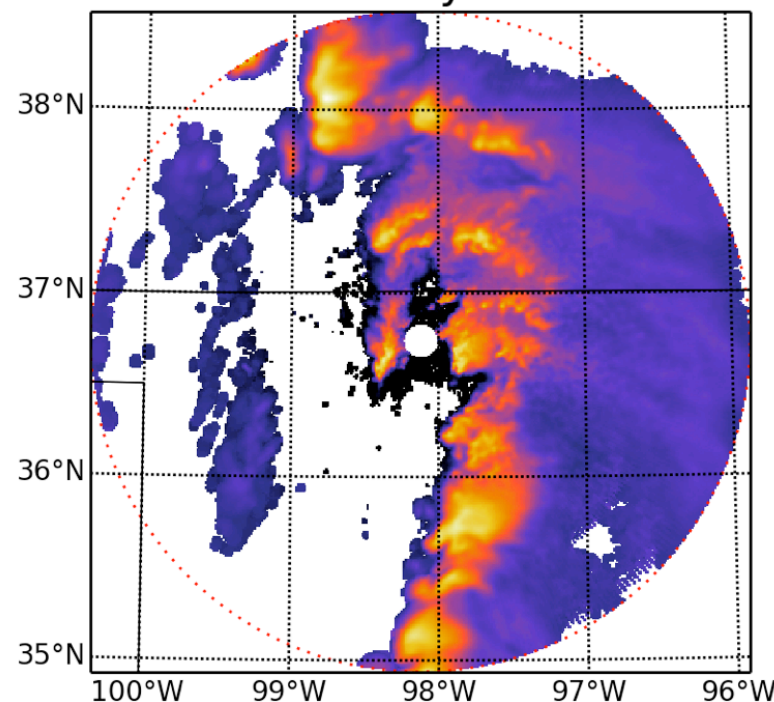
- ✱ Midlatitude Continental Convective Clouds Experiment (MC3E): OK, Late Spring 2011
- ✱ Analyze KDP observed above the environmental melting level as proxy of deep convective updraft
- ✱ Compare with multi-Doppler winds, lightning flash rate, ZDR, precipitation estimates
- ✱ Co-authors: Ann Fridlind, Andrew Ackerman, Scott Collis, Jonathan Helmus, Kirk North, Pavlos Kollias, Don MacGorman, Derek Posselt



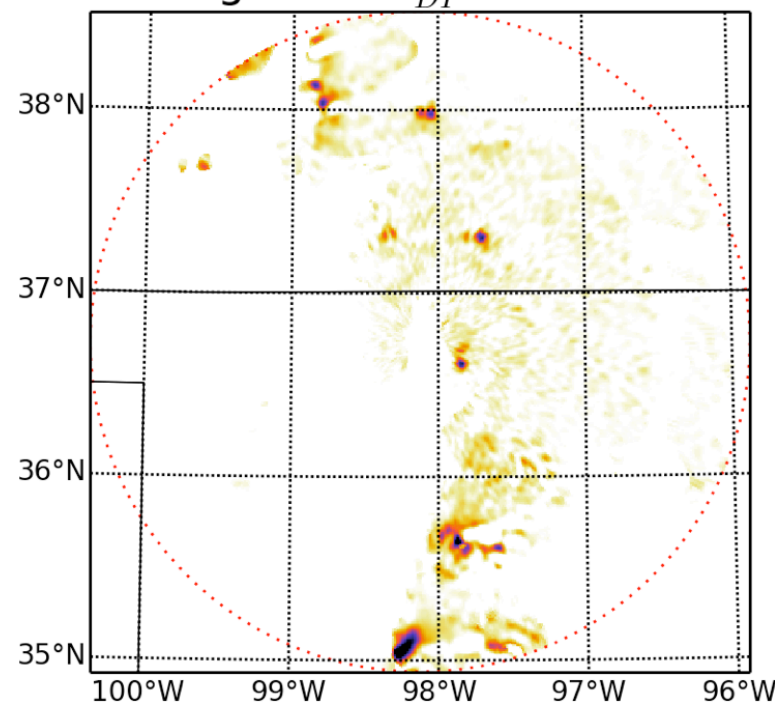
# Identifying KDP columns

## KVNX radar analysis, May 24 2011, 21:39:54 UTC

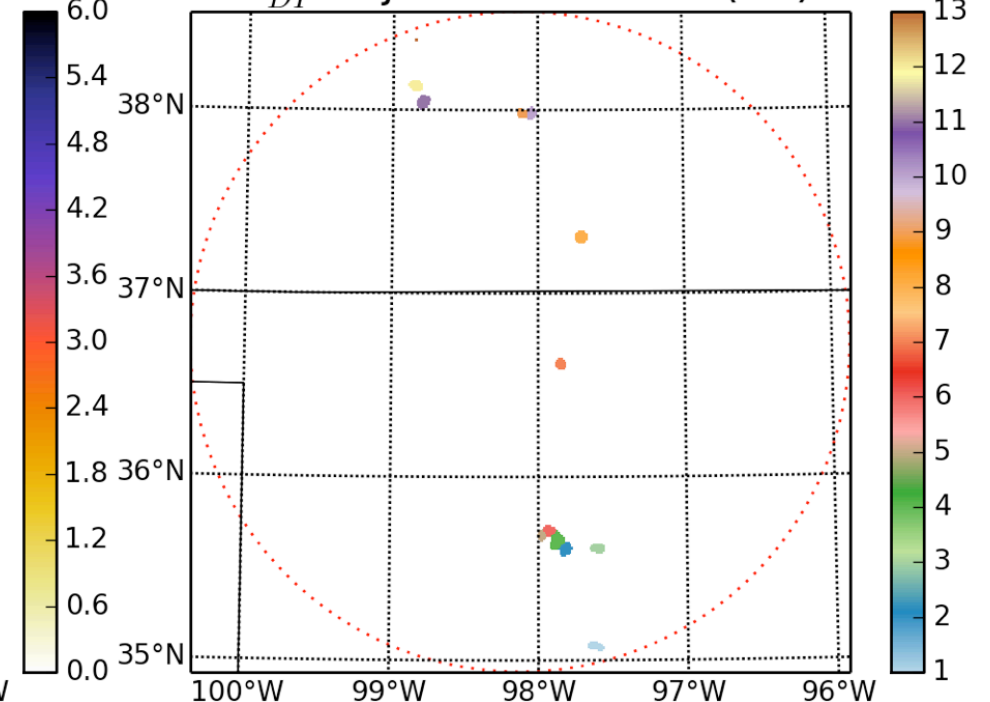
Reflectivity at  $0^{\circ}C$



Integrated  $K_{DP}$  above  $0^{\circ}C$



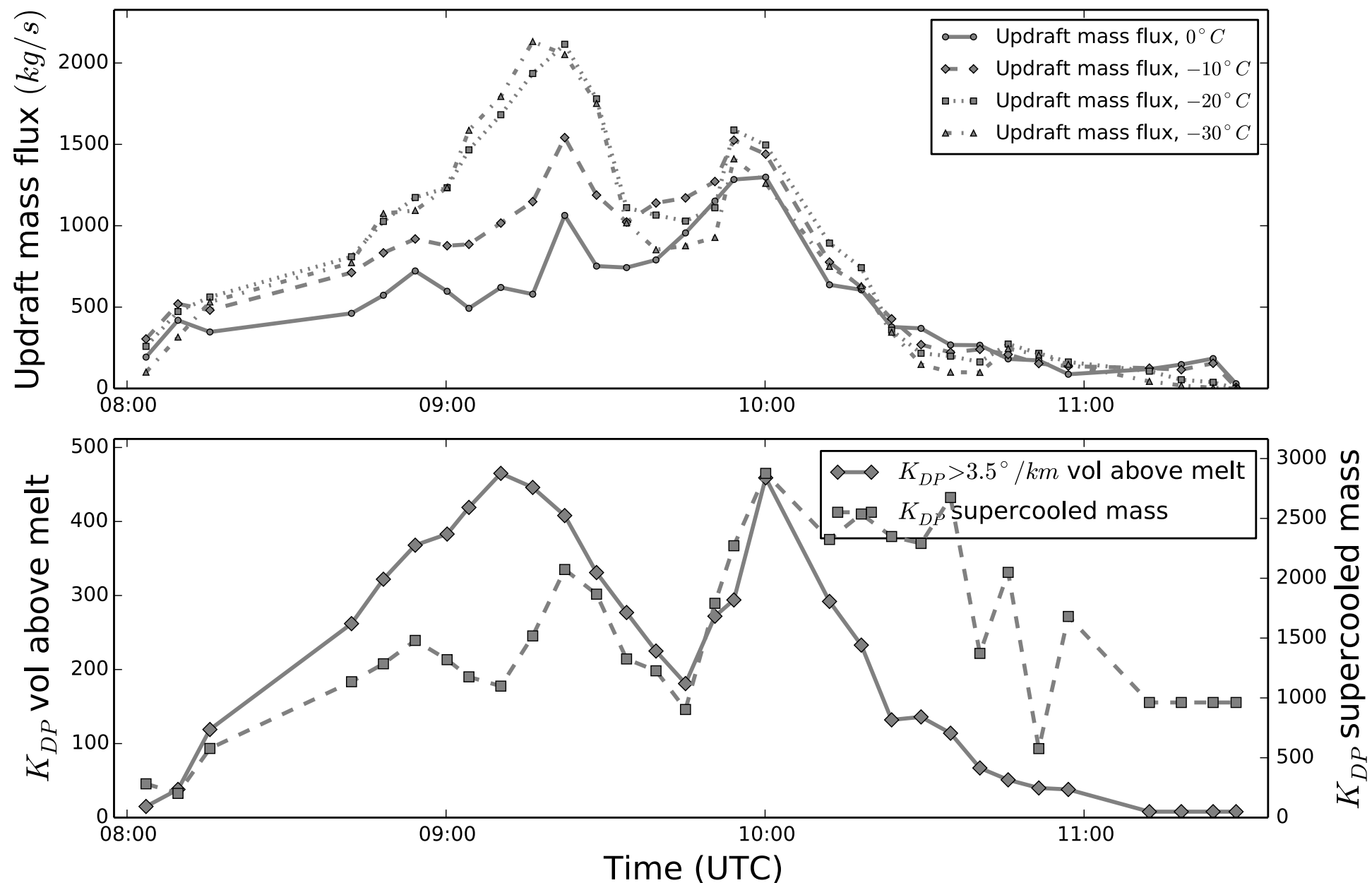
$K_{DP}$  objects identified (13)





# Updrafts vs. KDP column volume

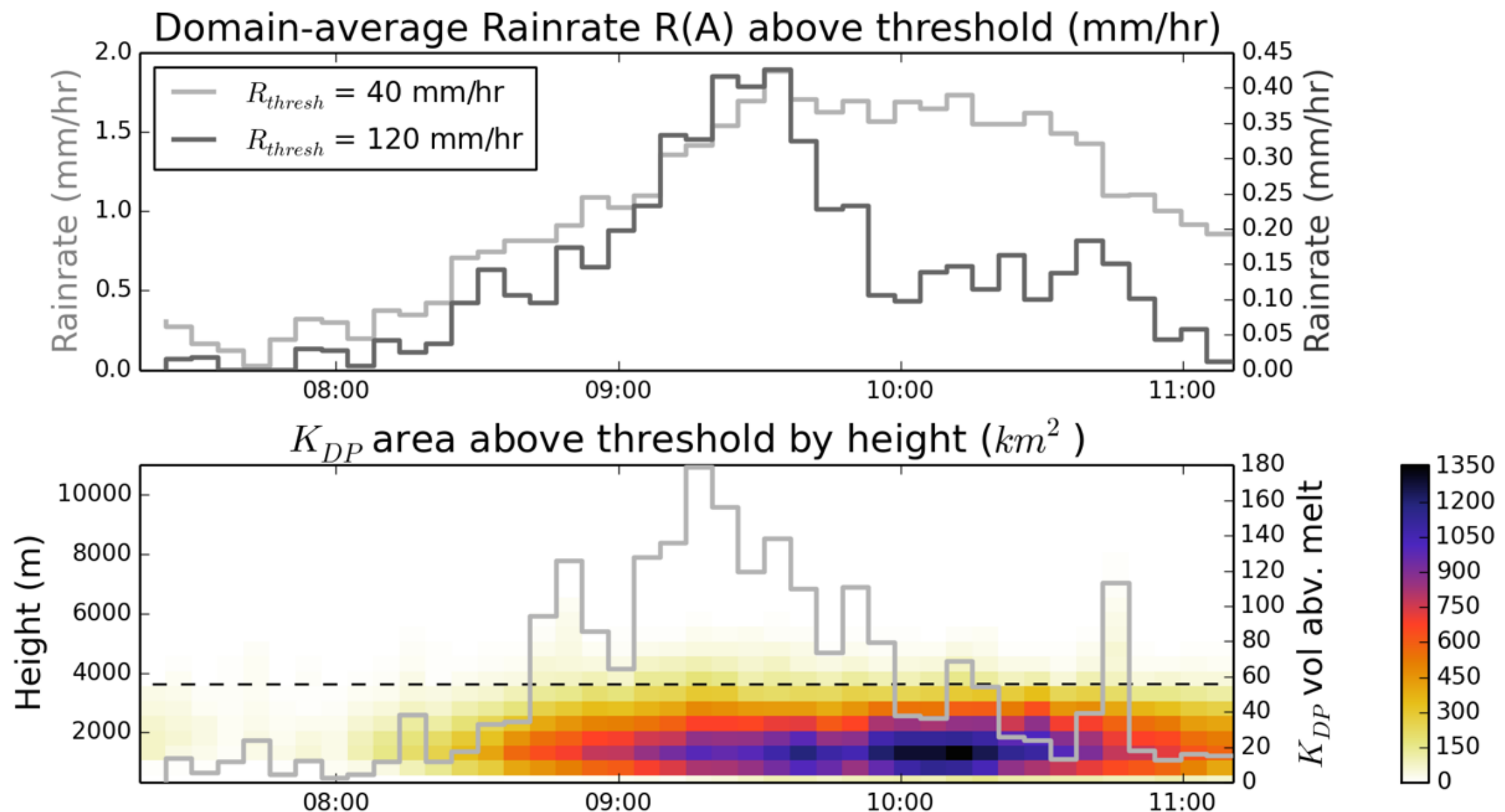
## 3-Doppler Updraft & C-SAPR $K_{DP}$ statistics, April 25, 2011





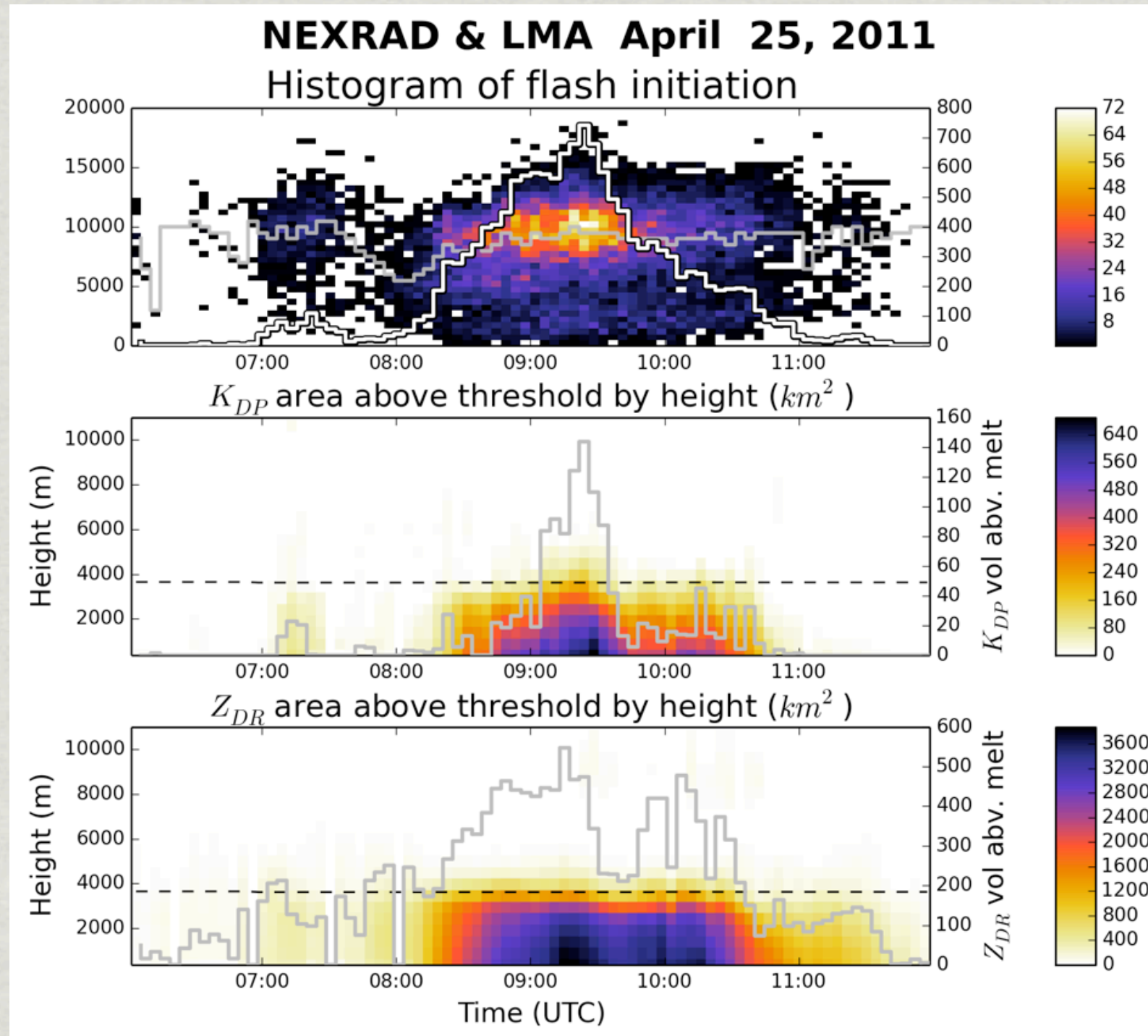
# KDP columns and Intense precipitation

## C-SAPR $K_{DP}$ & Rainrate statistics, April 25, 2011





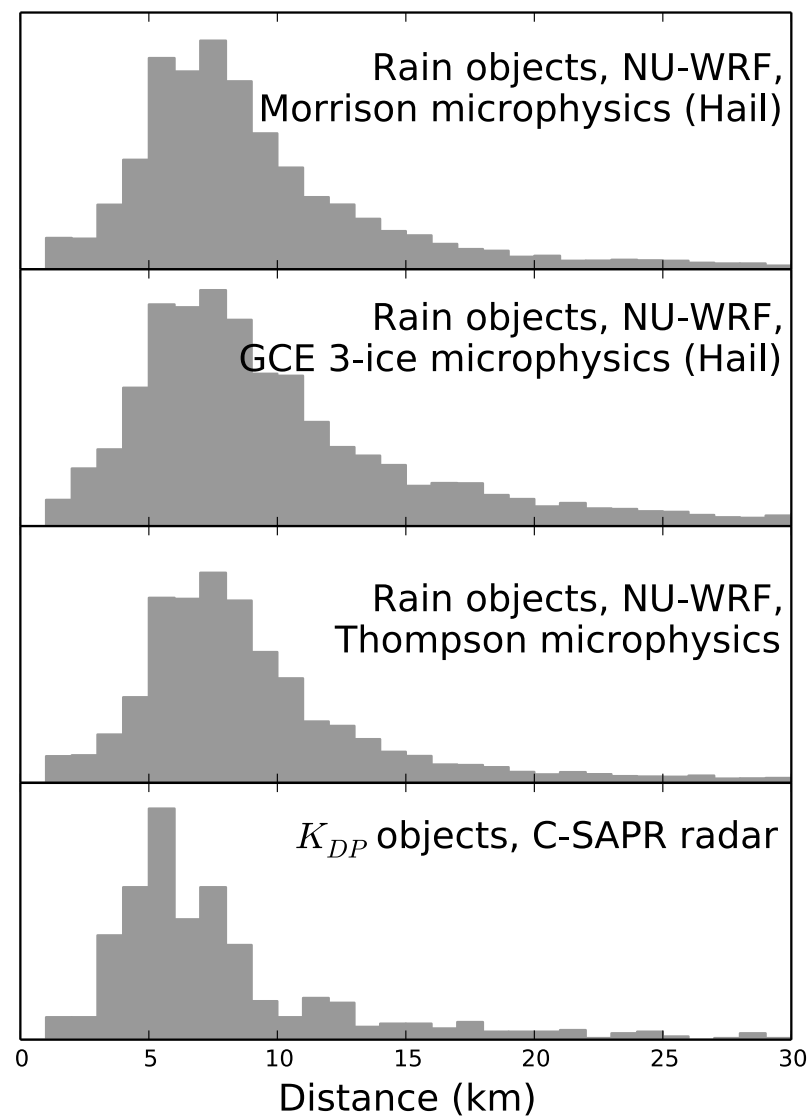
# KDP columns and lightning flash rate



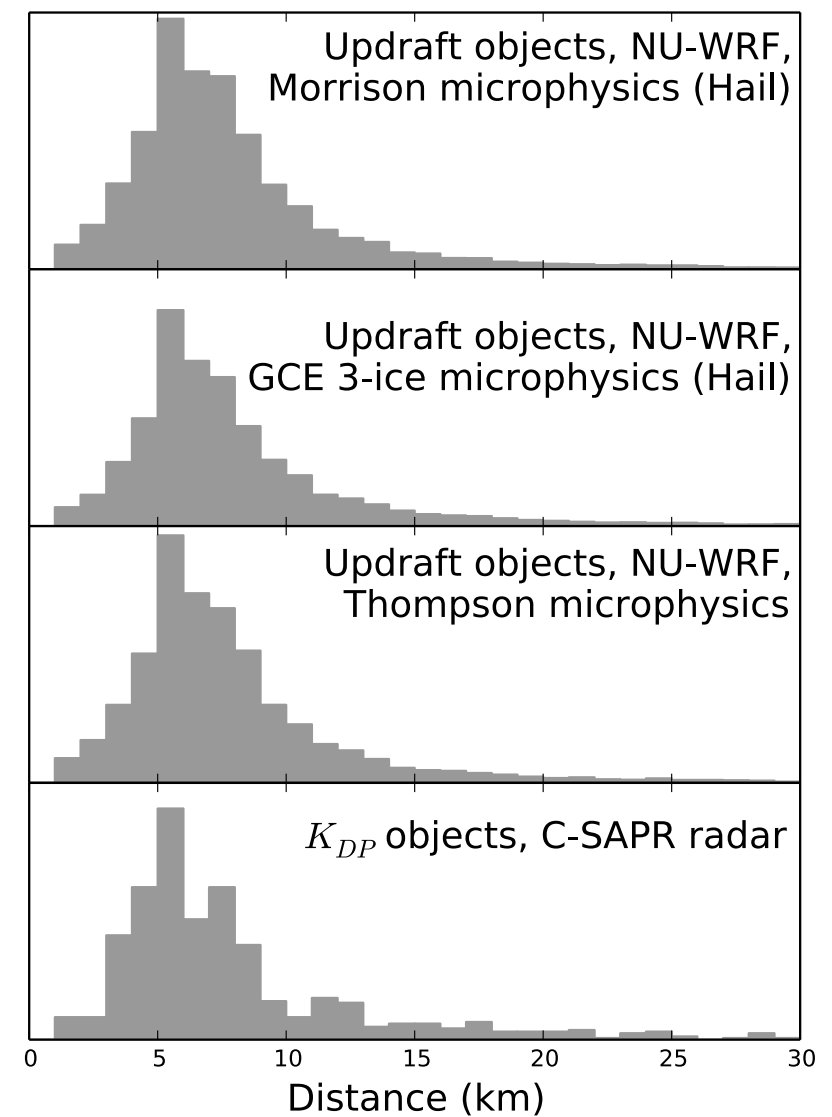


# Also: Spatial statistics of updraft features

## Nearest-neighbor distances



## Nearest-neighbor distances





# Summary:

- ✱ Polarimetric radar variables such as KDP provide valuable information related to deep convective updrafts; information that is necessary to constrain model behavior
- ✱ Still to do: Detailed comparison with modeled results using bin and bulk microphysical parameterization schemes **and a polarimetric forward operator**



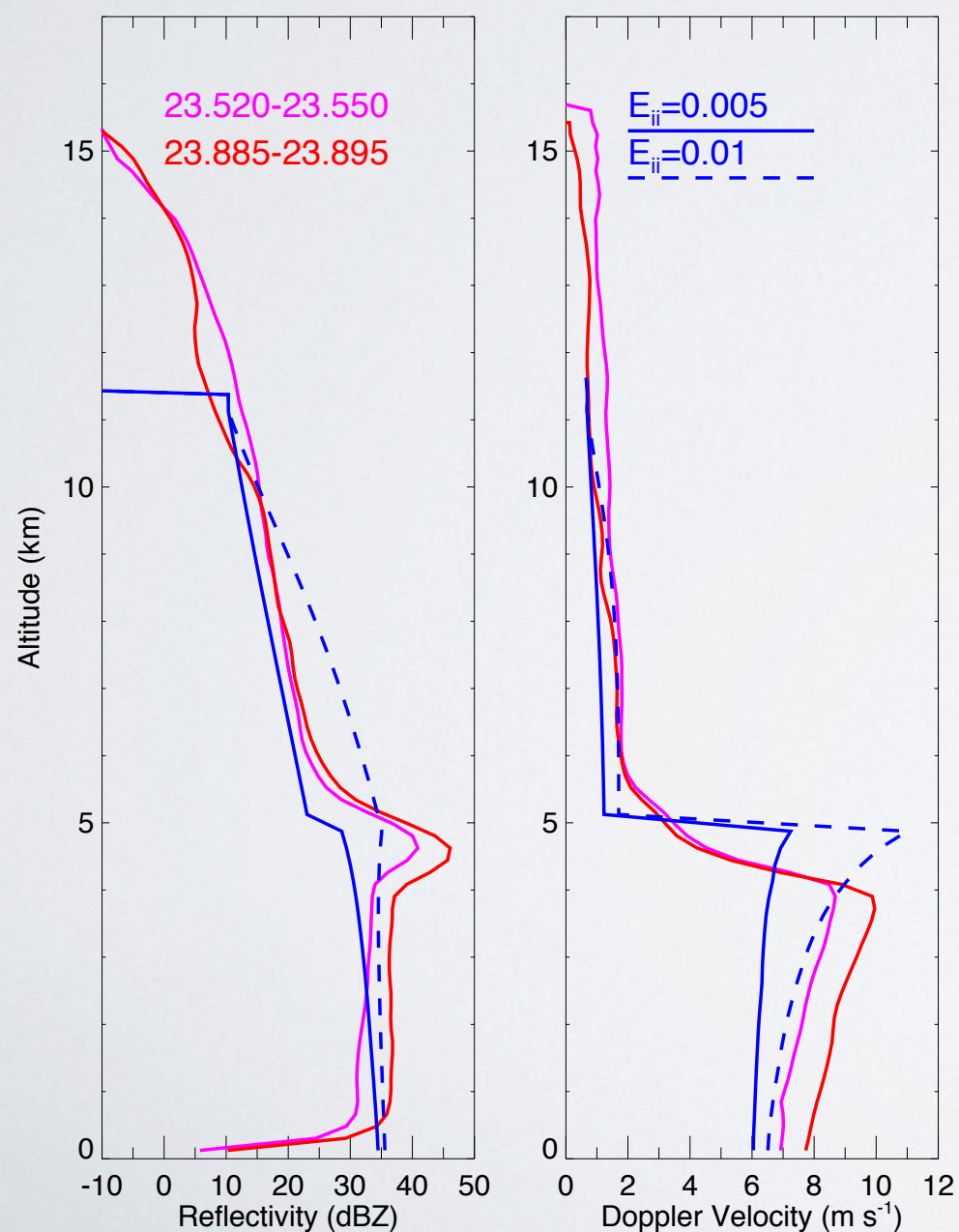
# Profiling radar Doppler spectra

- ✱ In-situ observations are available to constrain cloud-top ice properties in stratiform precipitation associated with deep convection:
  - ✱ [http://www.giss.nasa.gov/staff/mvanlier-walqui/kvnx\\_citation\\_20110520.html](http://www.giss.nasa.gov/staff/mvanlier-walqui/kvnx_citation_20110520.html)
  - ✱ [http://www.giss.nasa.gov/staff/mvanlier-walqui/nexrad\\_gridplots/nex\\_520\\_lev07.html](http://www.giss.nasa.gov/staff/mvanlier-walqui/nexrad_gridplots/nex_520_lev07.html)
- ✱ Microphysics of aggregation of ice largely unconstrained (ie. ice-ice sticking efficiency)

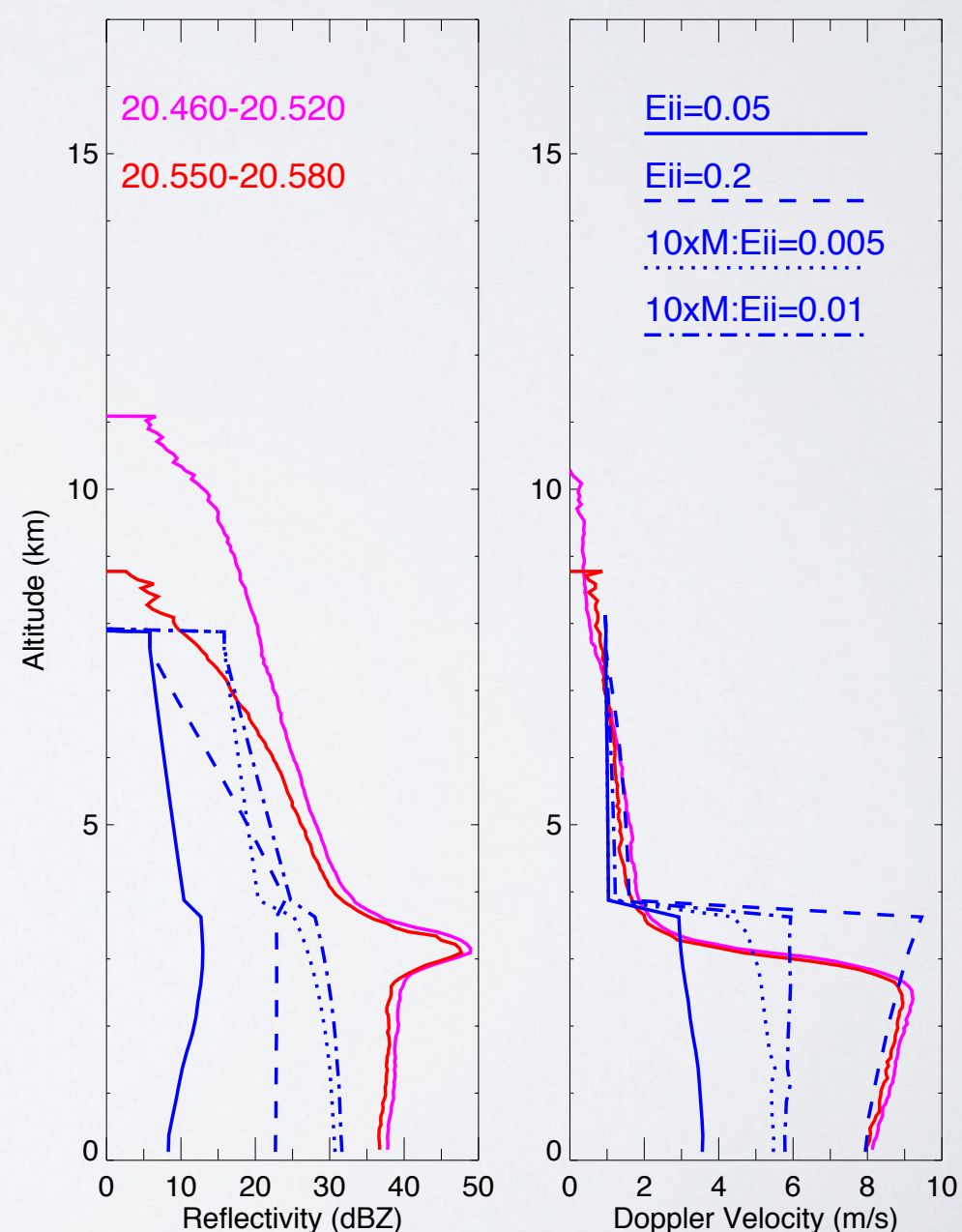


# Ice sticking uncertainty

TWP



MC3E





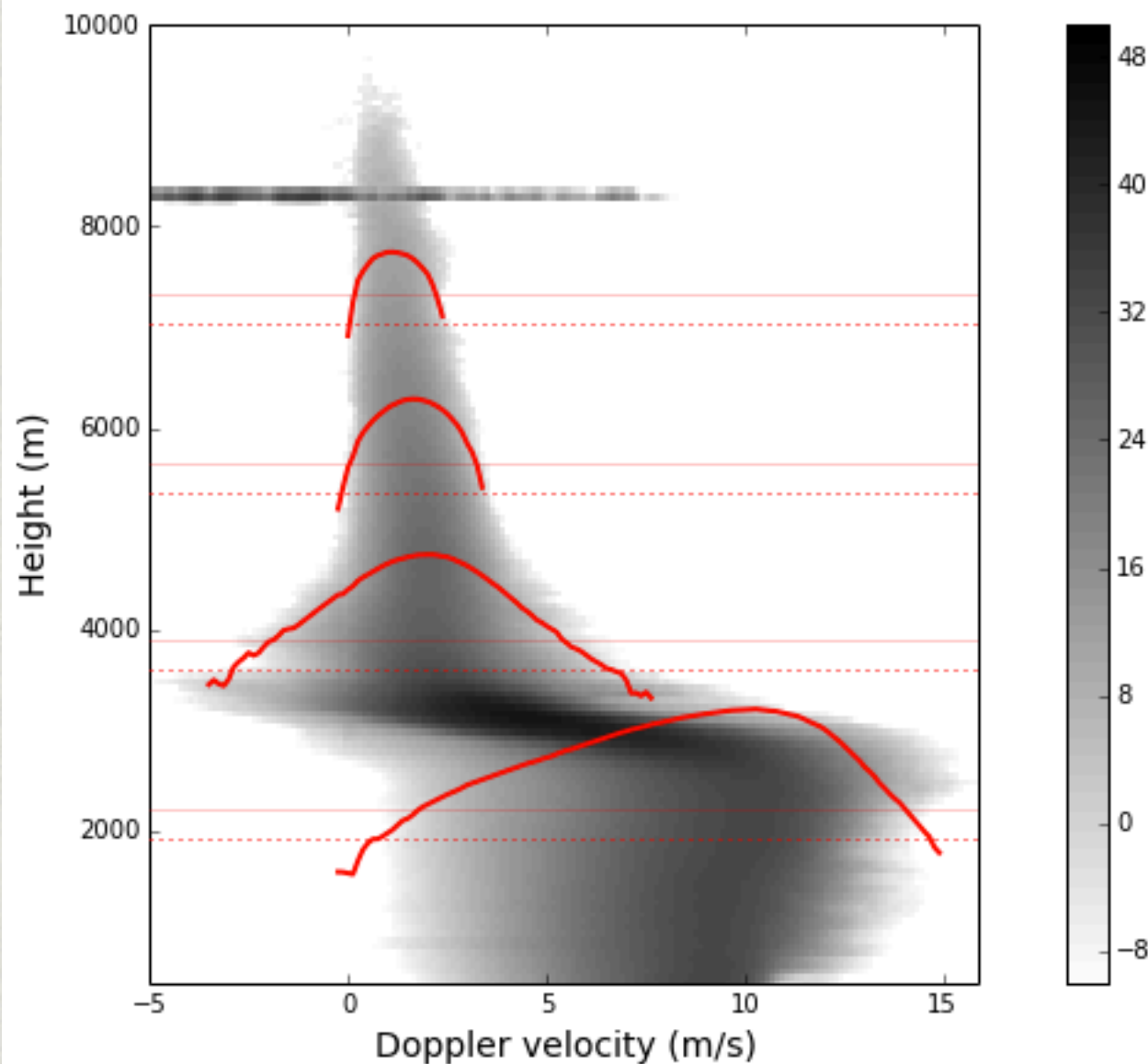
# Doppler spectra & the Bayesian aproach

- \* Doppler spectra from S- and K-band profiling radars provide detailed information on vertical variability of ice (& ice sticking efficiency)
- \* We can simulate these conditions well -> let the observations directly constrain the microphysics
- \* We would like to consider all sources of uncertainty & multivariate uncertainty -> Bayes
- \* Coauthors: Ann Fridlind, Andrew Ackerman, Christopher Williams, Gregory McFarquhar, Wei Wu, Xiquan Dong, Jingyu Wang, Alexei Korolev, Alice Grandin, Walter Strapp

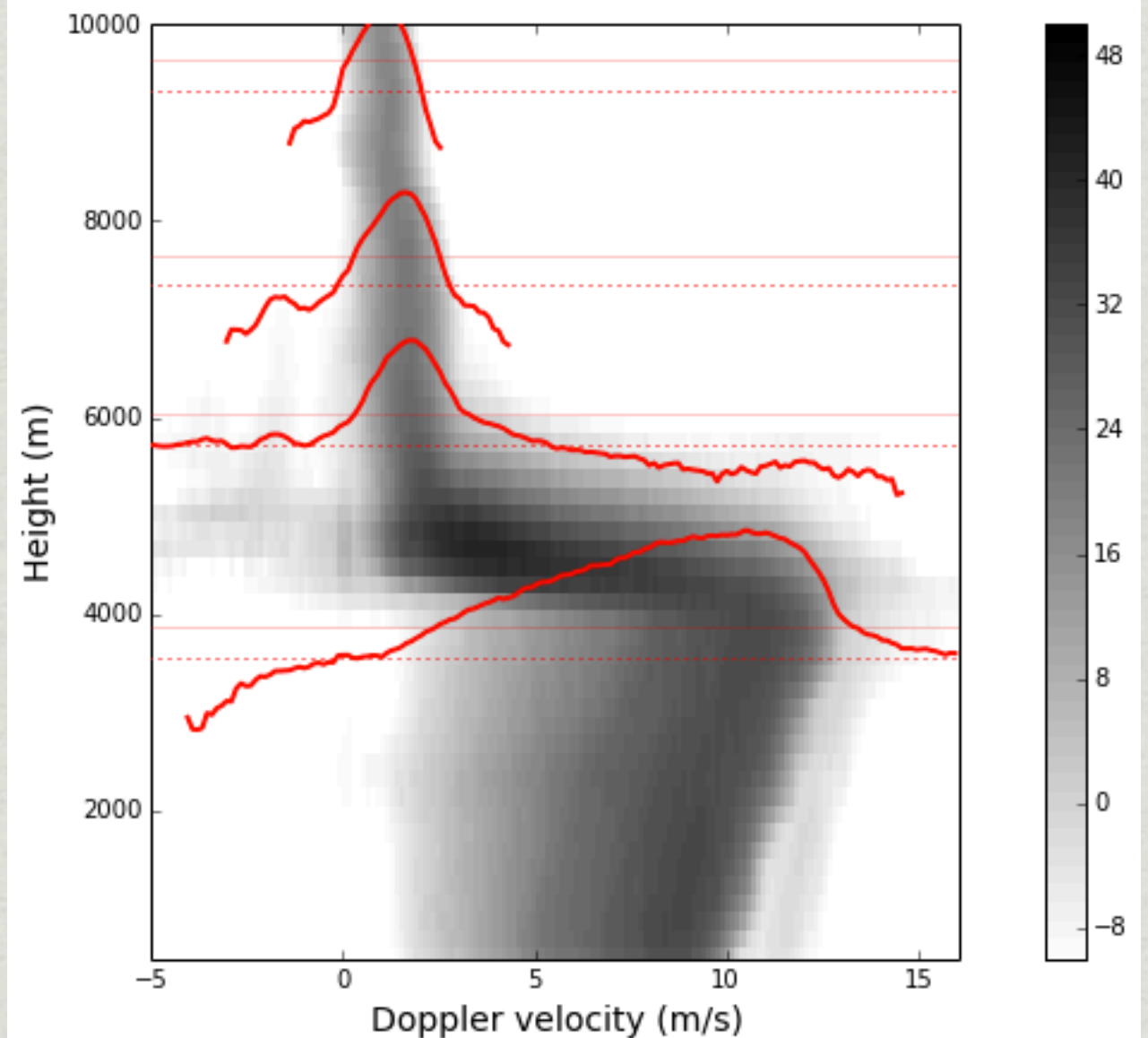


# Radar Doppler Spectra

**MC3E S-band spectrum May 20.50-20.52**



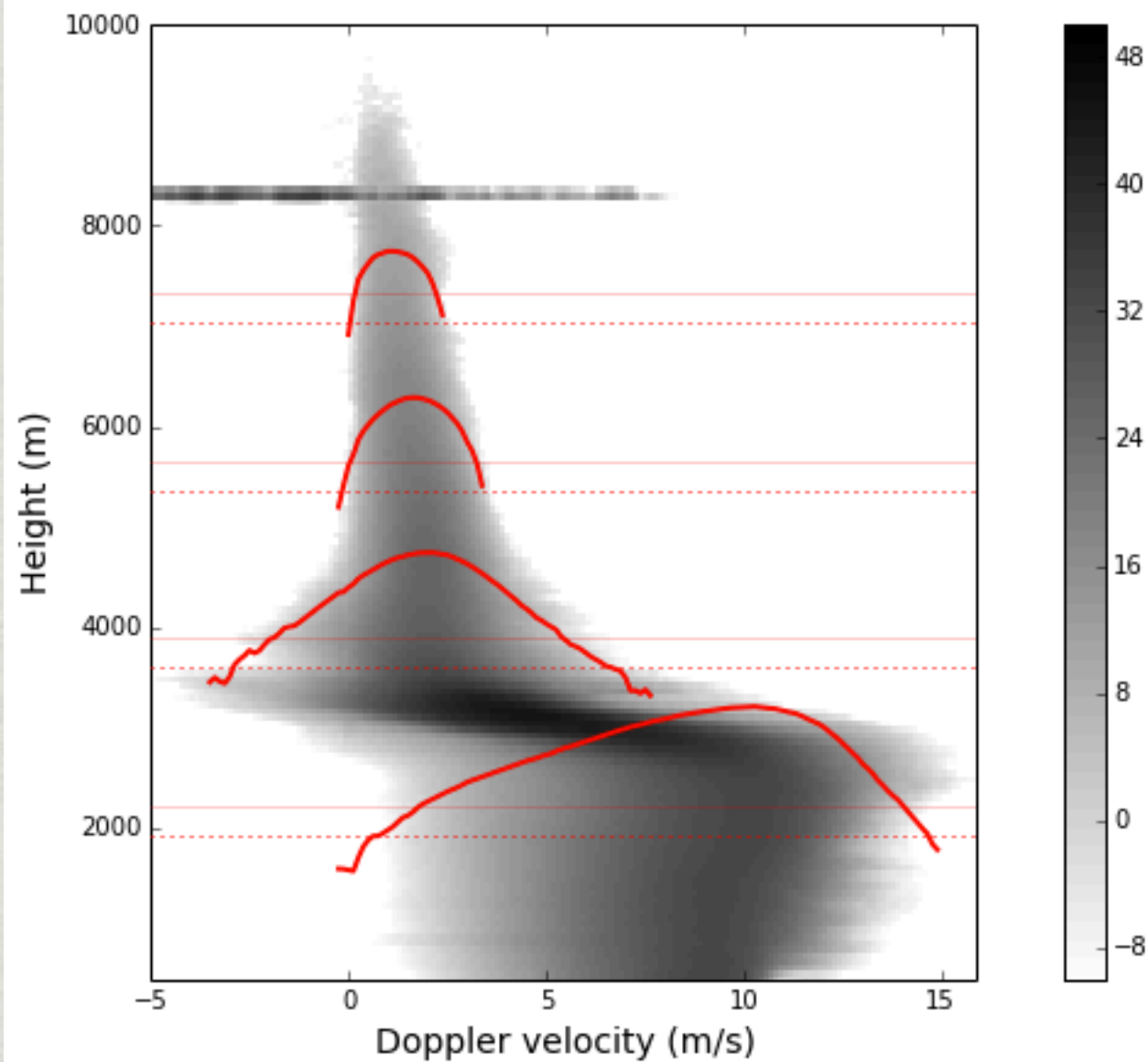
**TWP-ICE S-band spectrum Jan 23.885-23.895**



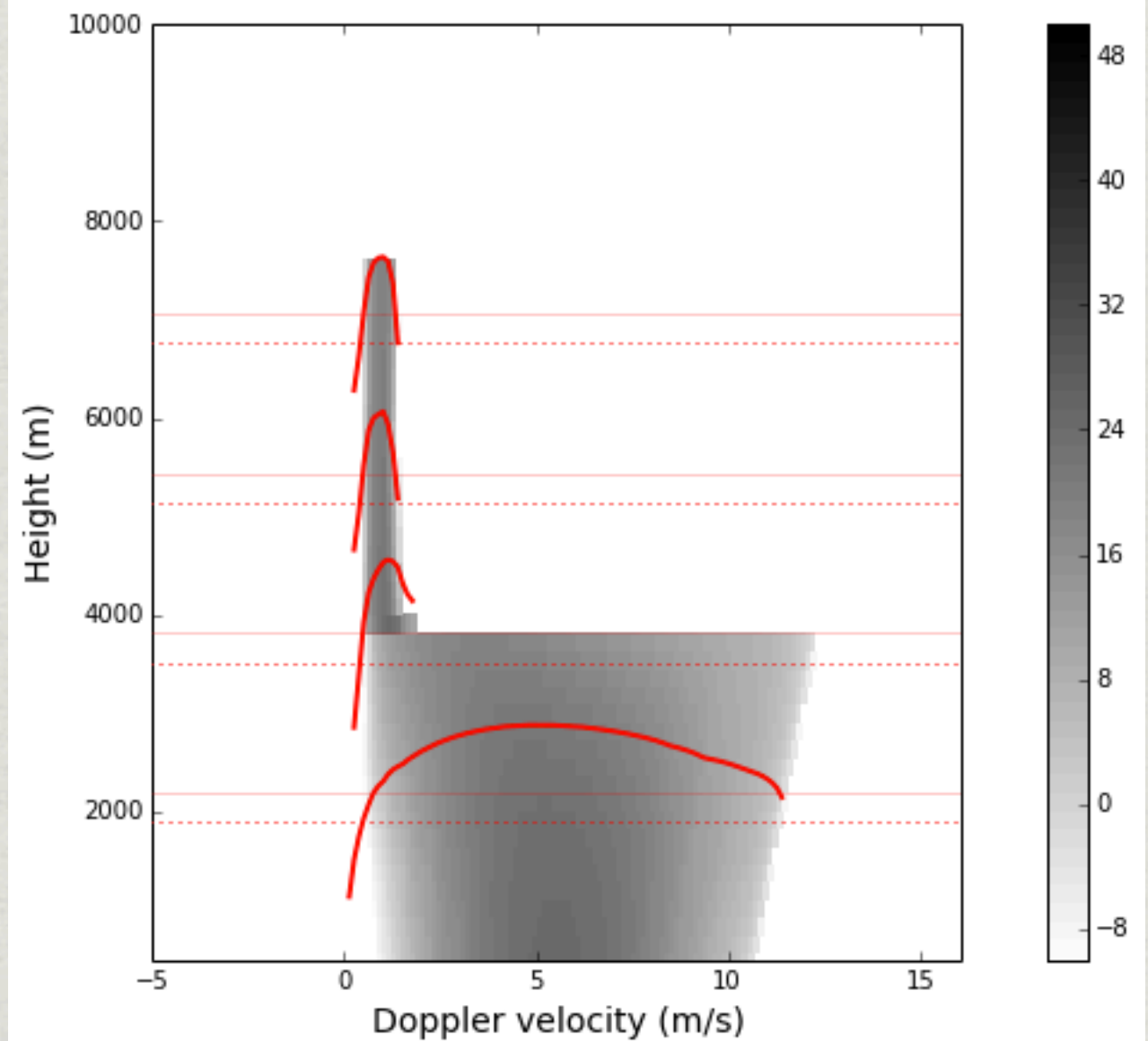


# Radar Doppler Spectra

**MC3E S-band spectrum May 20.50-20.52**

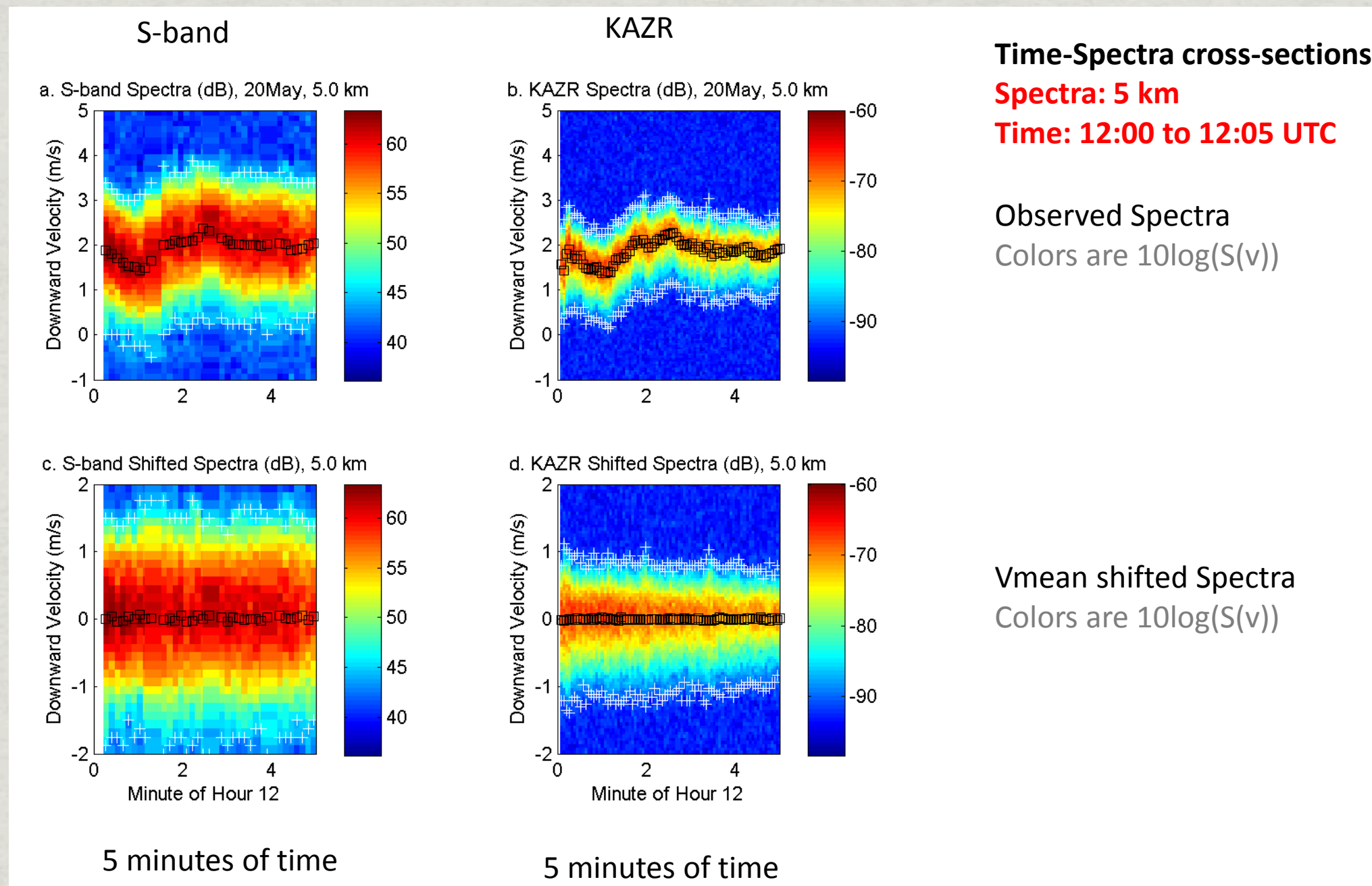


**DHARMA MC3E S-band spectrum May 20 (run 8 )**





# S-band vs. KAZR





# Markov chain Monte-Carlo (MCMC)

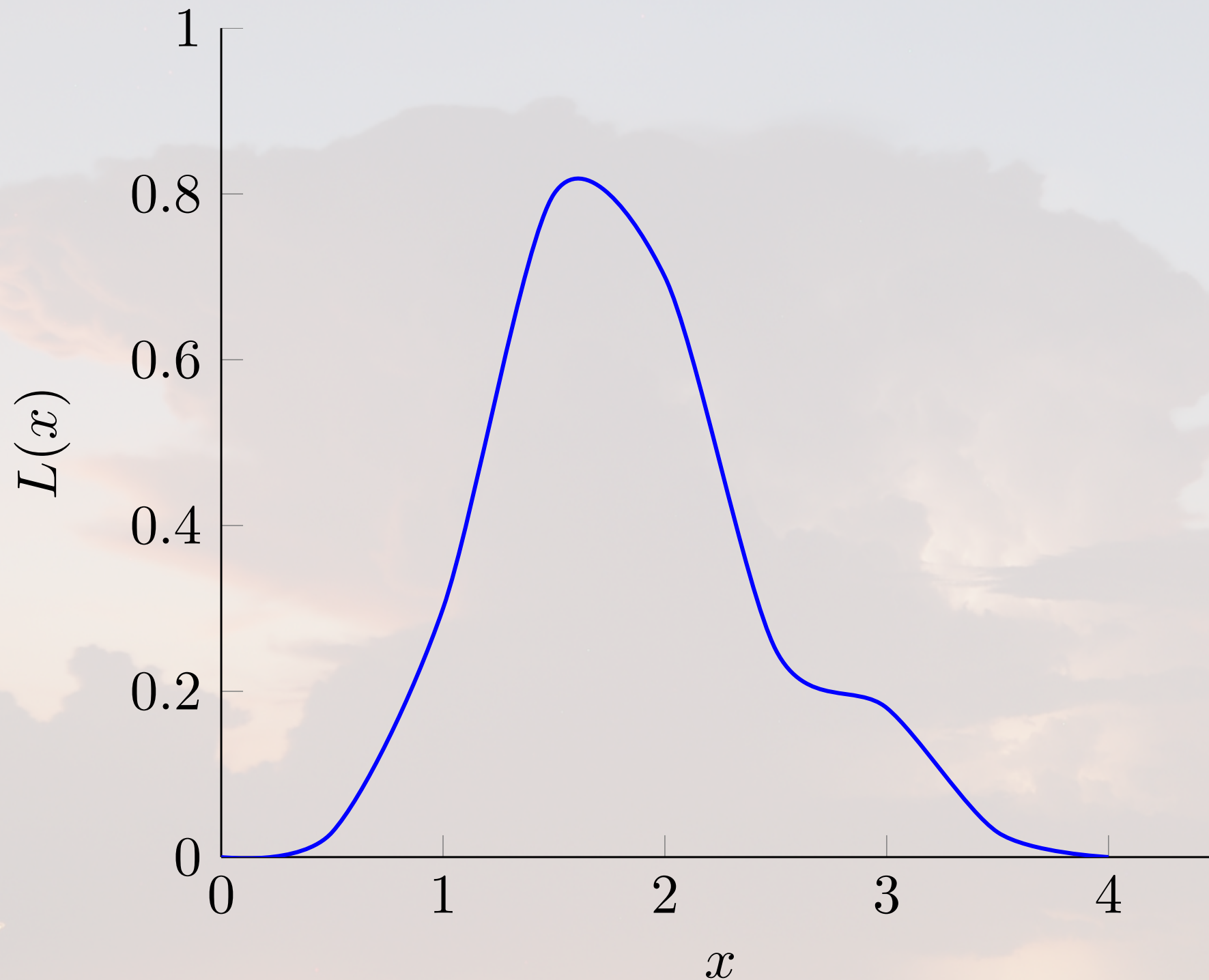
General idea:

- ▶ Use a modified random walk (a Markov chain) to sample the parameter space
- ▶ Samples in chain are draws from the target distribution
- ▶ Random walk can be Gaussian or uniform (or anything else)
- ▶ Each new sample depends *only* on the previous sample (Markovian property).
- ▶ Each new sample is accepted or rejected depending on probabilities of the current & proposal samples:

$$P(\mathbf{x}_{prop}|\mathbf{x}_{curr}) = \min[1, P(\mathbf{x}_{prop})/P(\mathbf{x}_{curr})] \quad (1)$$

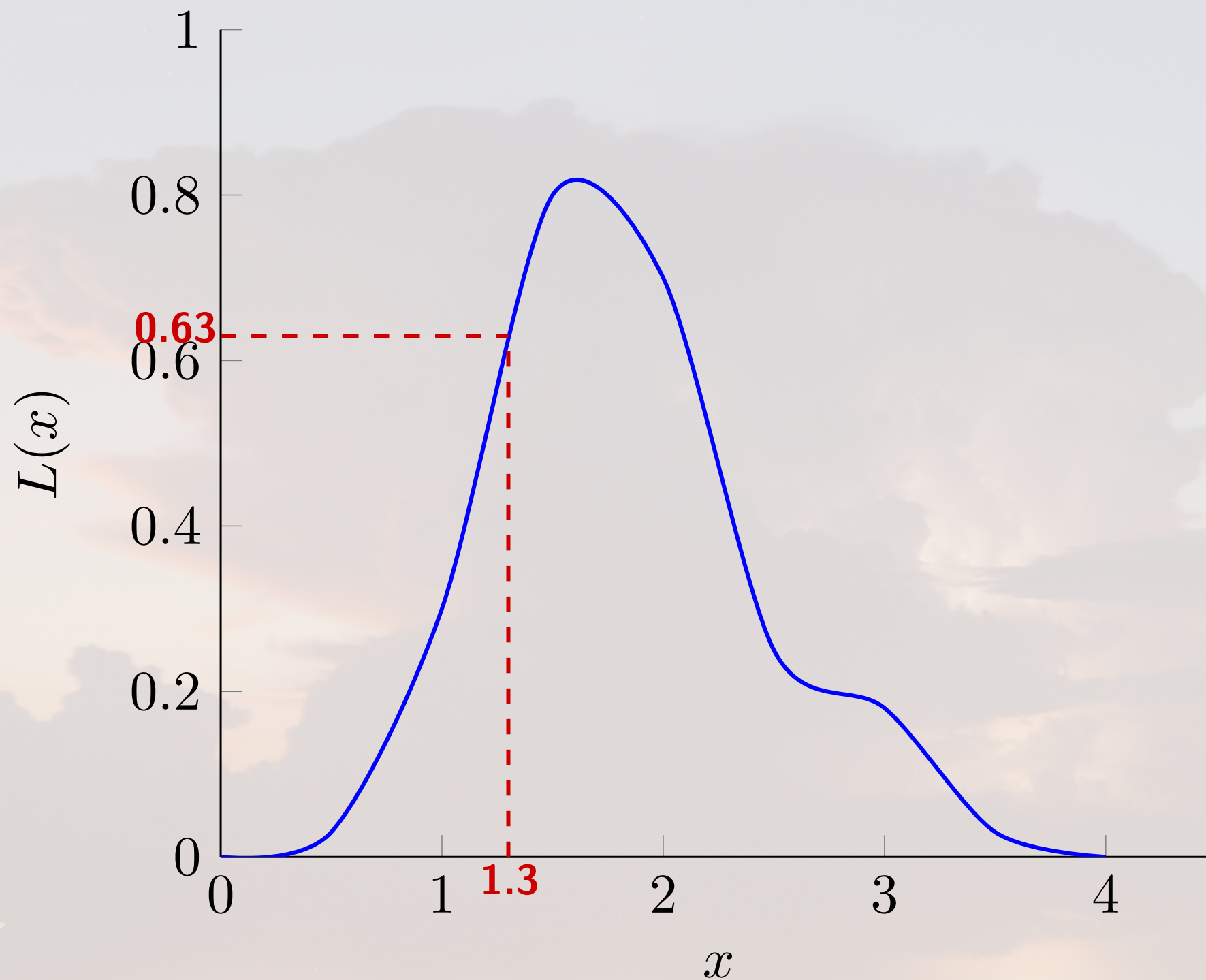


# MCMC (Metropolis) example





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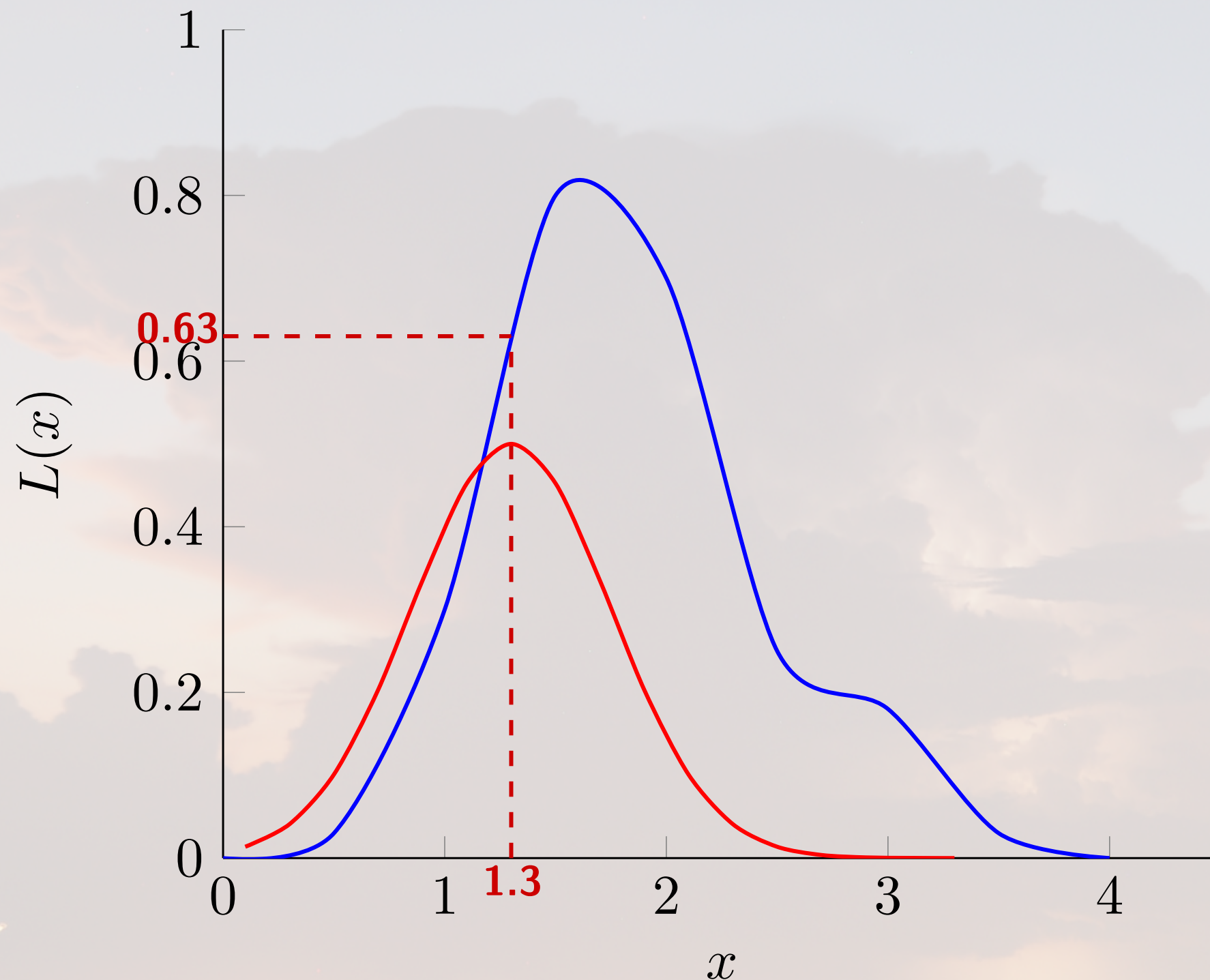


Markov Chain

i	$x(i)$
1	1.3



# MCMC (Metropolis) example

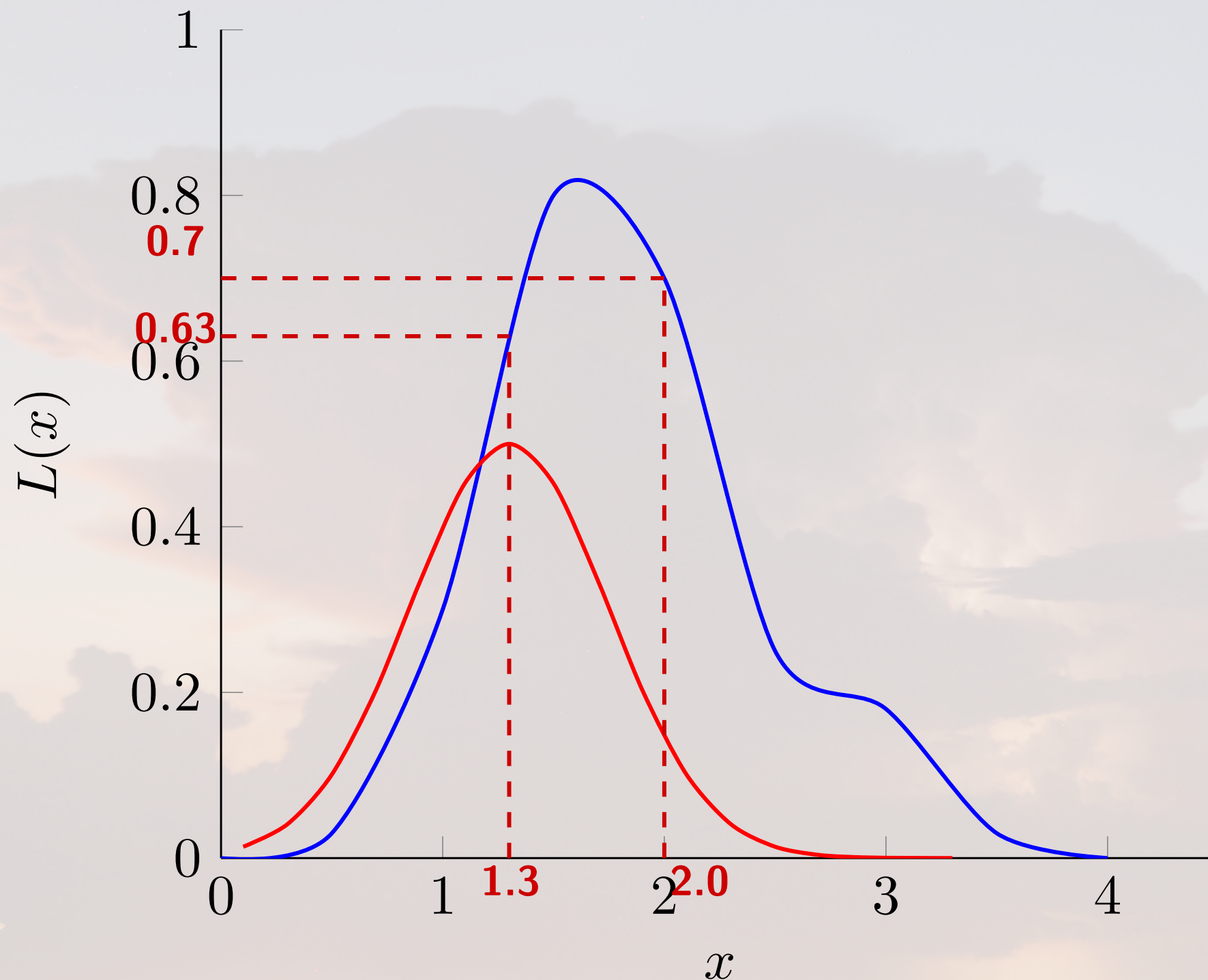


Markov Chain

i	$x(i)$
1	1.3



# MCMC (Metropolis) example



Markov Chain

i	x(i)
1	1.3

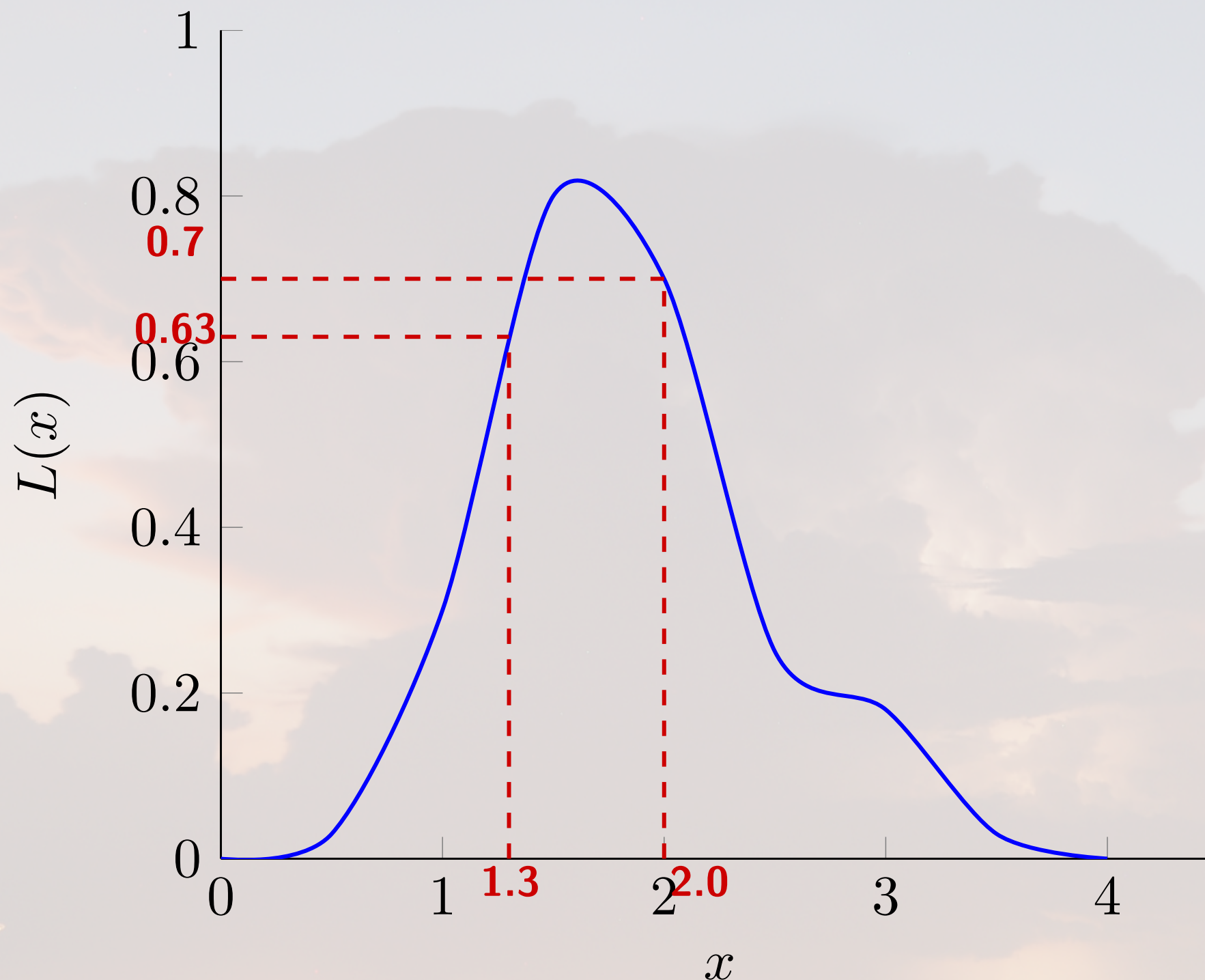


# MCMC (Metropolis) example

Acceptance probability =  $0.70/0.63$

Markov Chain

i	$x(i)$
1	1.3

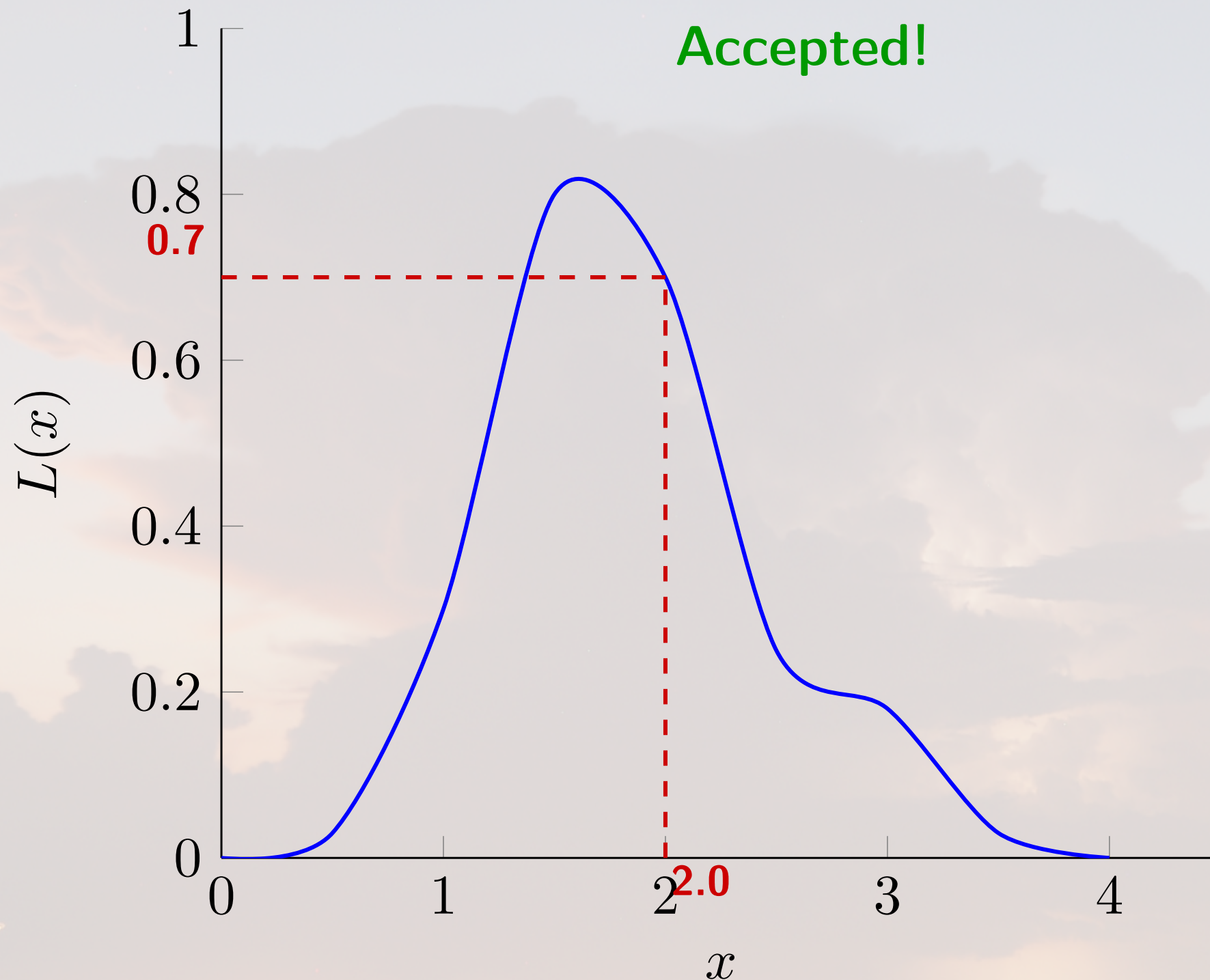




# MCMC (Metropolis) example

Acceptance probability =  $0.70/0.63$

Accepted!

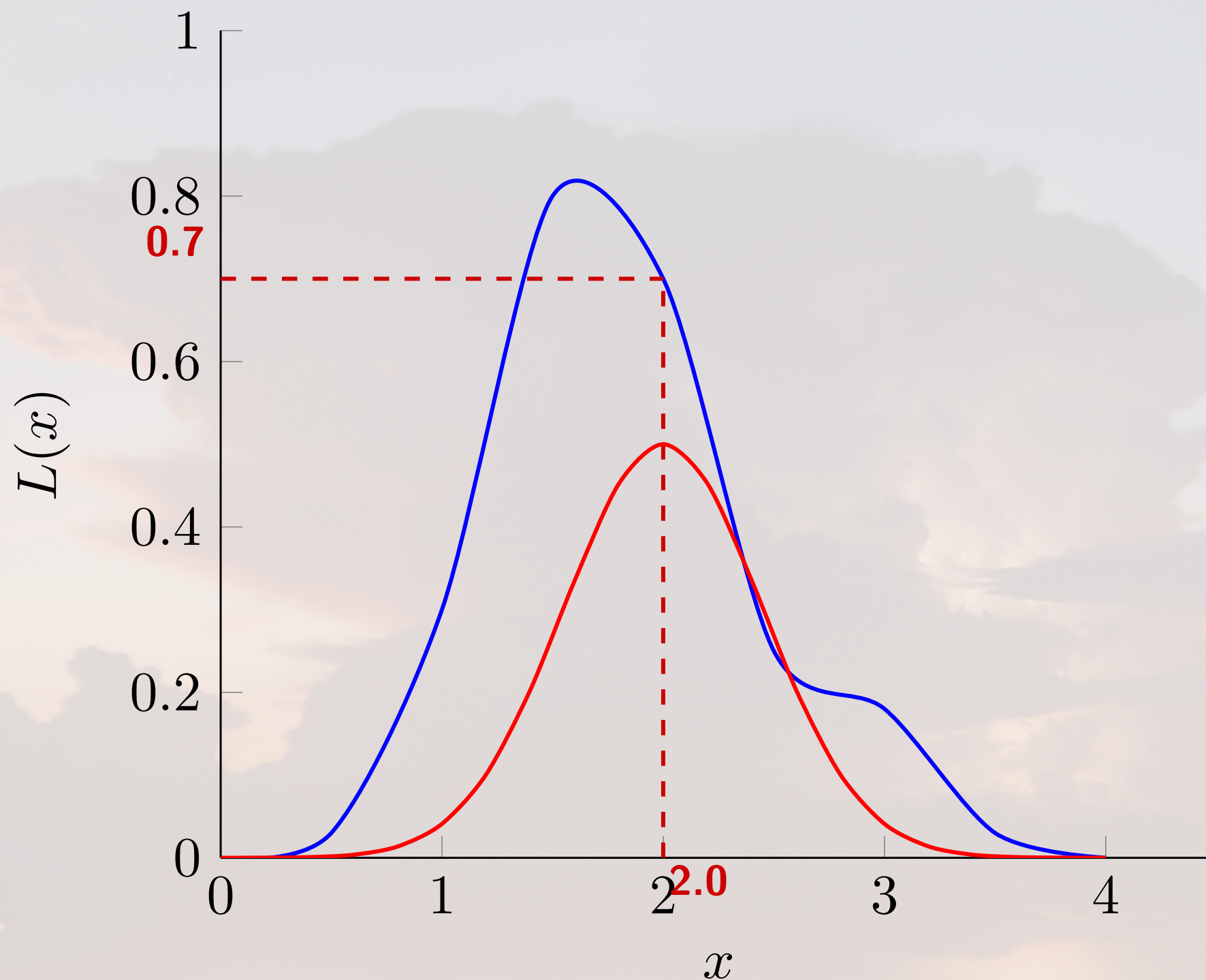


Markov Chain

i	$x(i)$
1	1.3
2	2.0



# MCMC (Metropolis) example

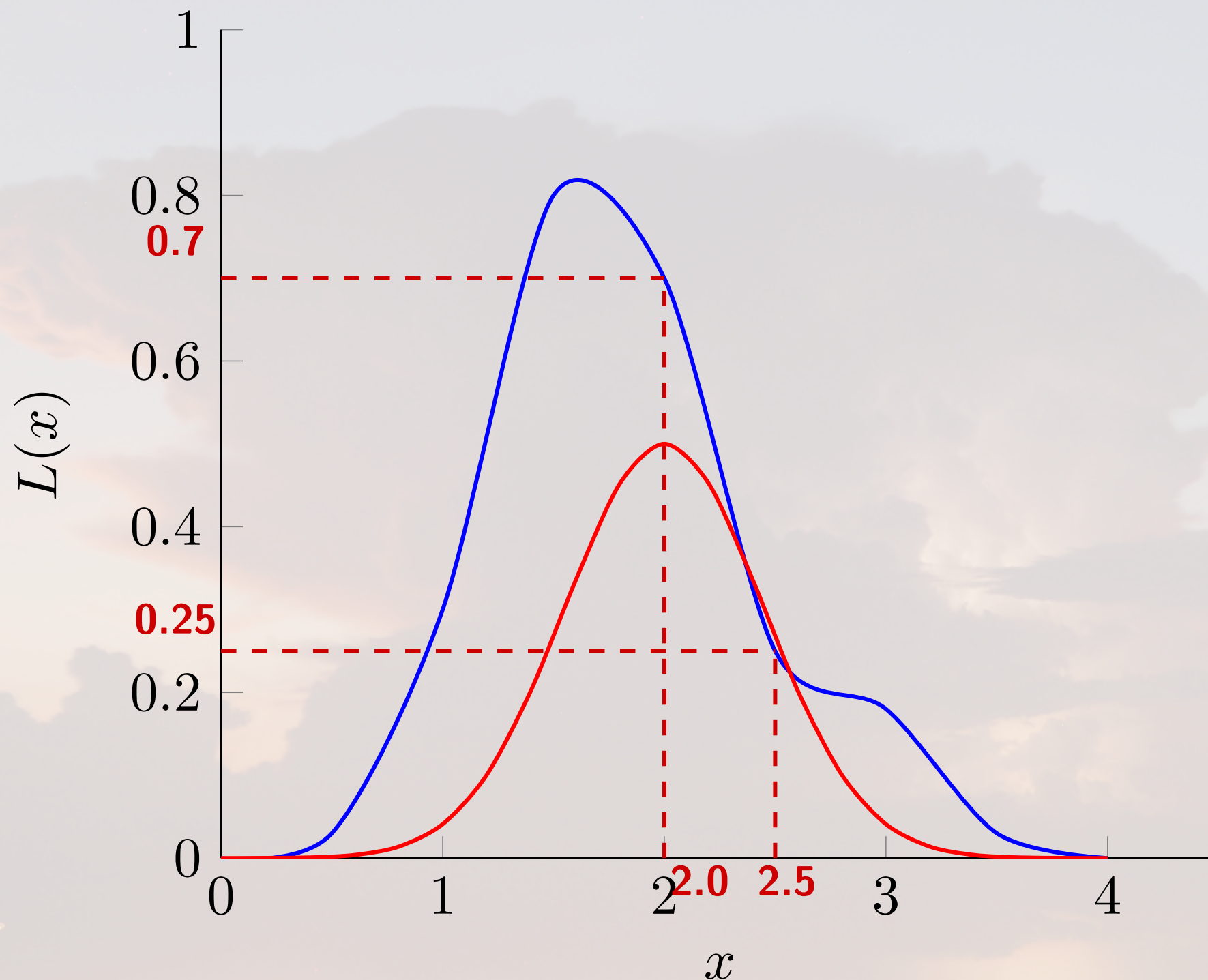


Markov Chain

i	$x(i)$
1	1.3
2	2.0



# MCMC (Metropolis) example



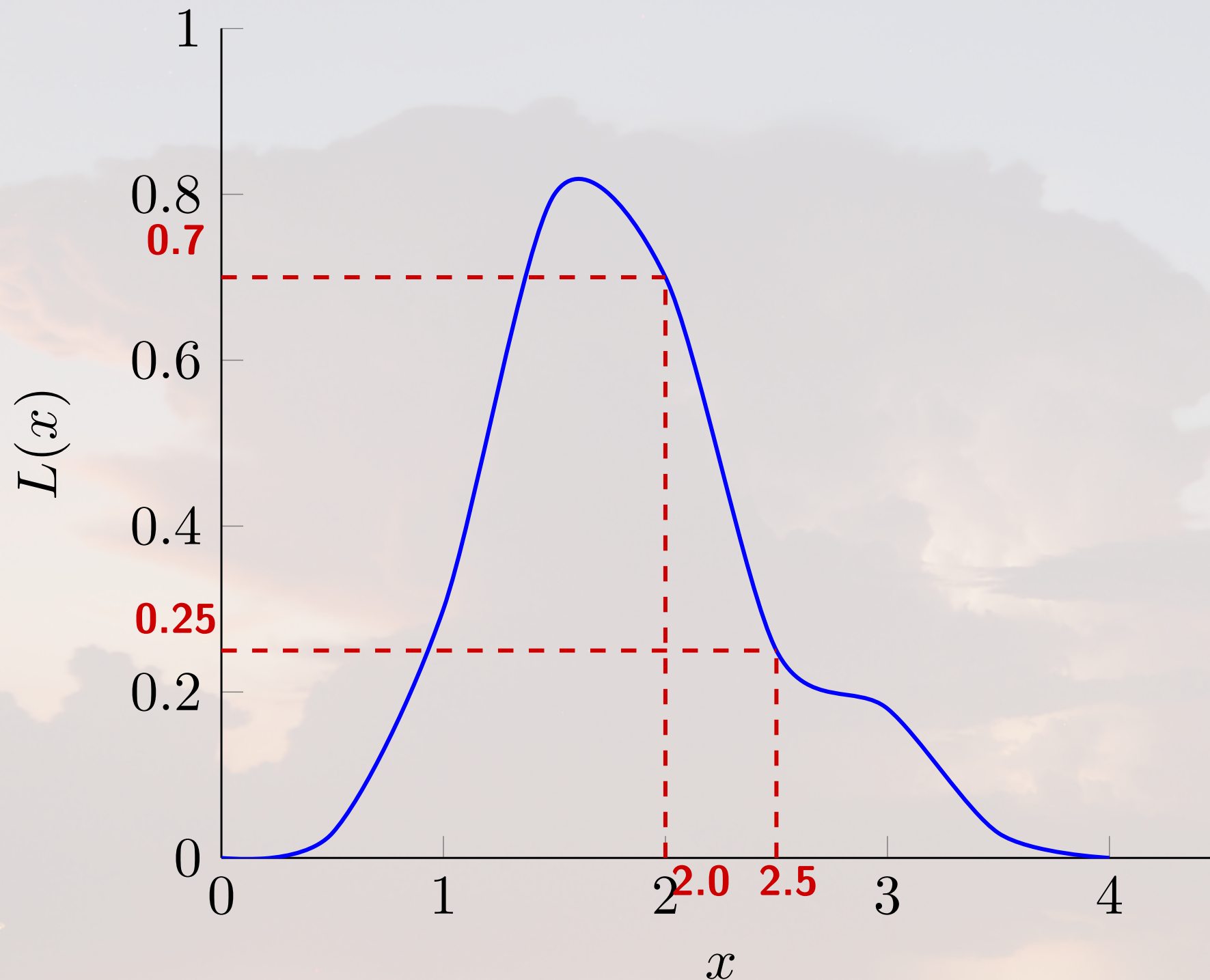
Markov Chain

i	x(i)
1	1.3
2	2.0



# MCMC (Metropolis) example

Acceptance probability =  $0.25/0.70 = 0.35$



Markov Chain

i	$x(i)$
1	1.3
2	2.0

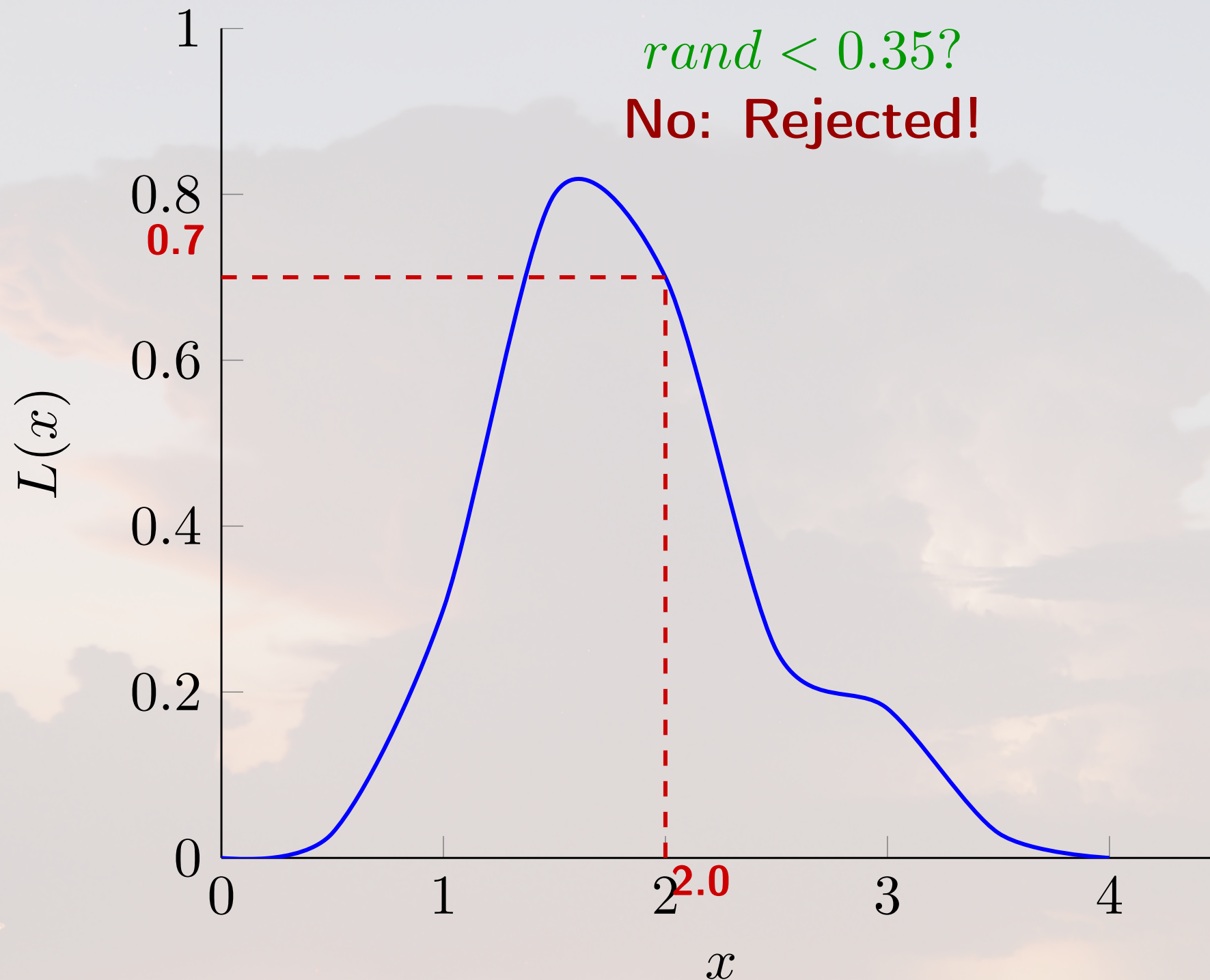


# MCMC (Metropolis) example

Acceptance probability =  $0.25/0.70 = 0.35$

*rand* < 0.35?

**No: Rejected!**

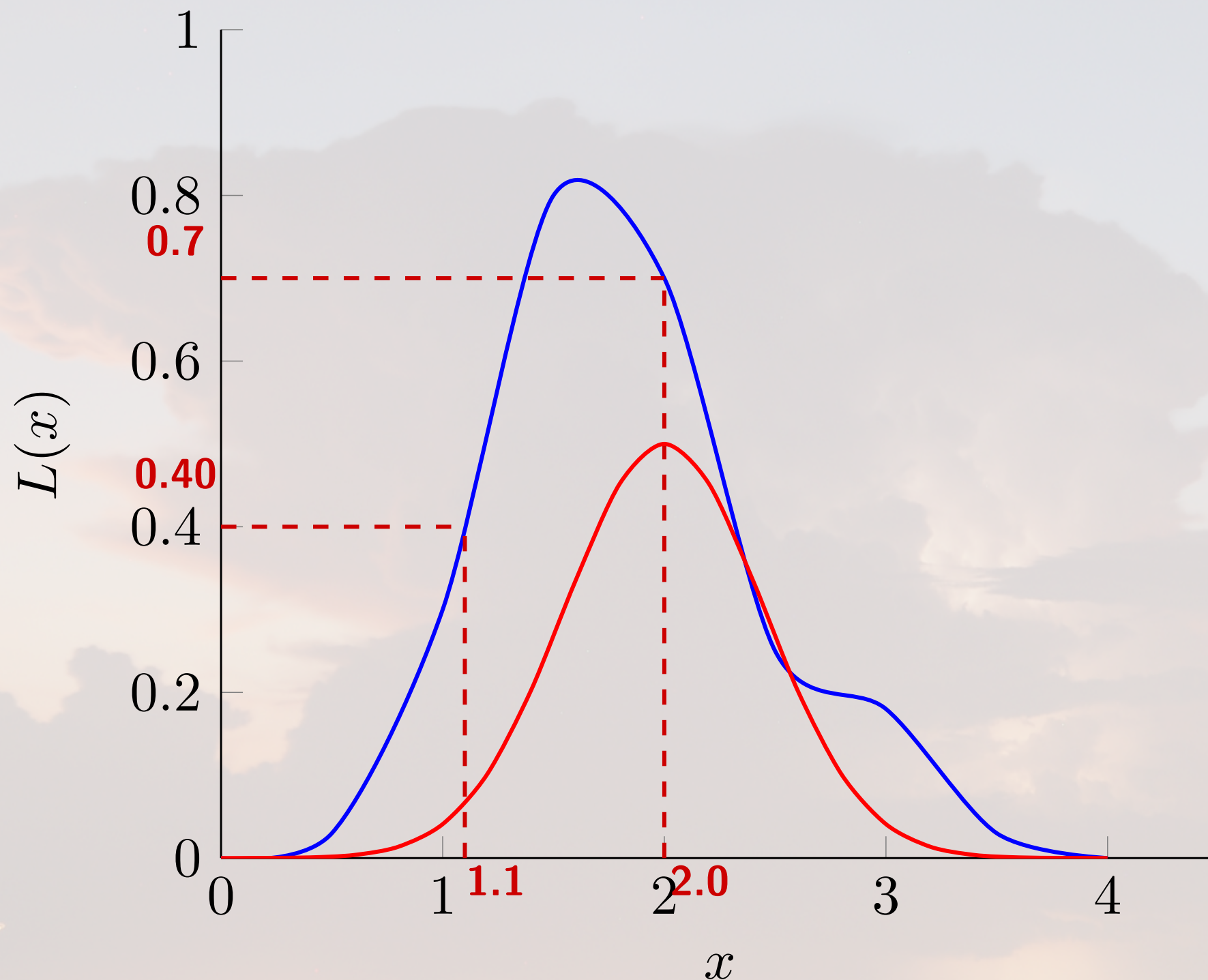


Markov Chain

i	$x(i)$
1	1.3
2	2.0
3	2.0



# MCMC (Metropolis) example



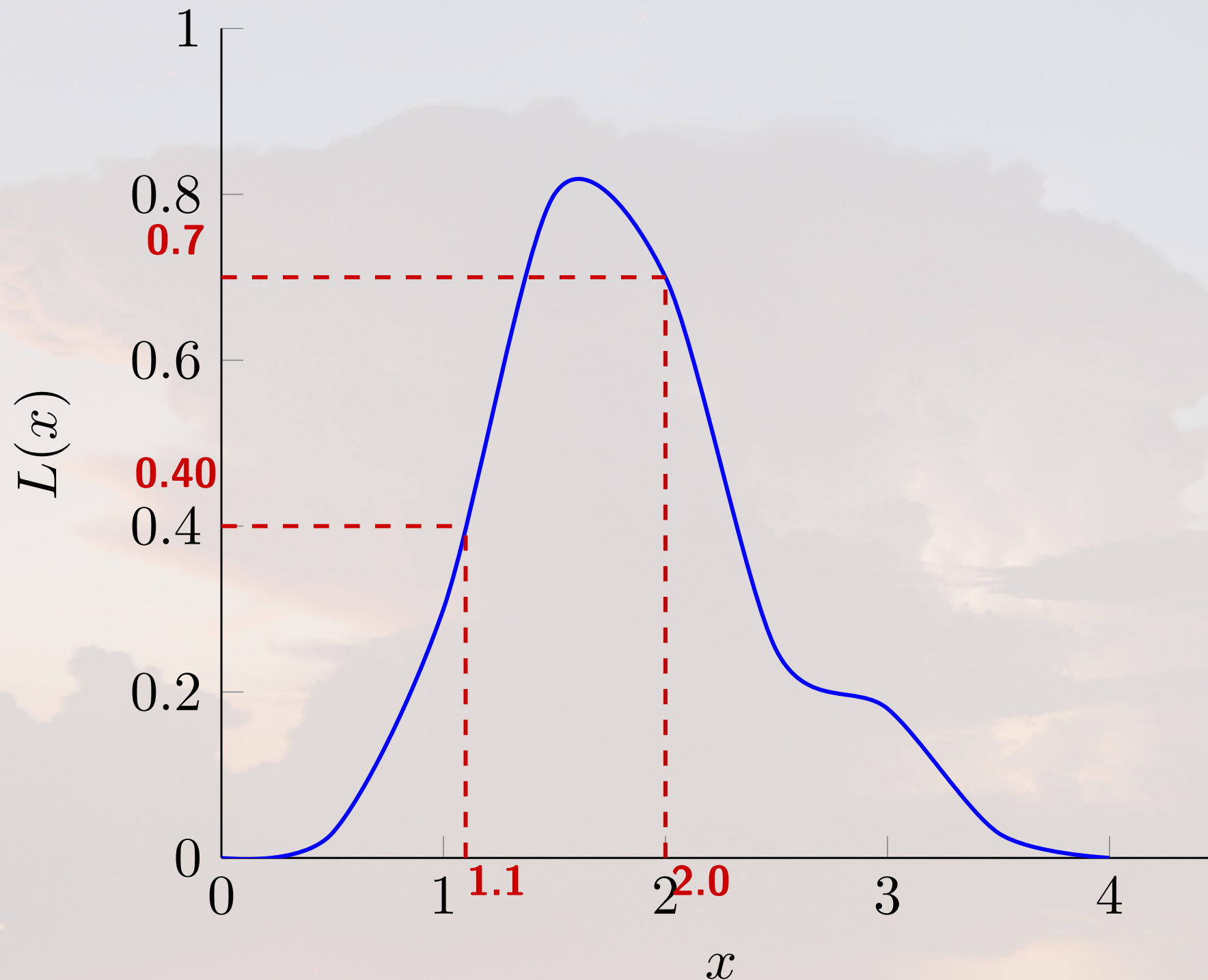
Markov Chain

i	$x(i)$
1	1.3
2	2.0
3	2.0



# MCMC (Metropolis) example

Acceptance probability =  $0.40/0.70 = 0.57$



Markov Chain

i	$x(i)$
1	1.3
2	2.0
3	2.0



# MCMC (Metropolis) example

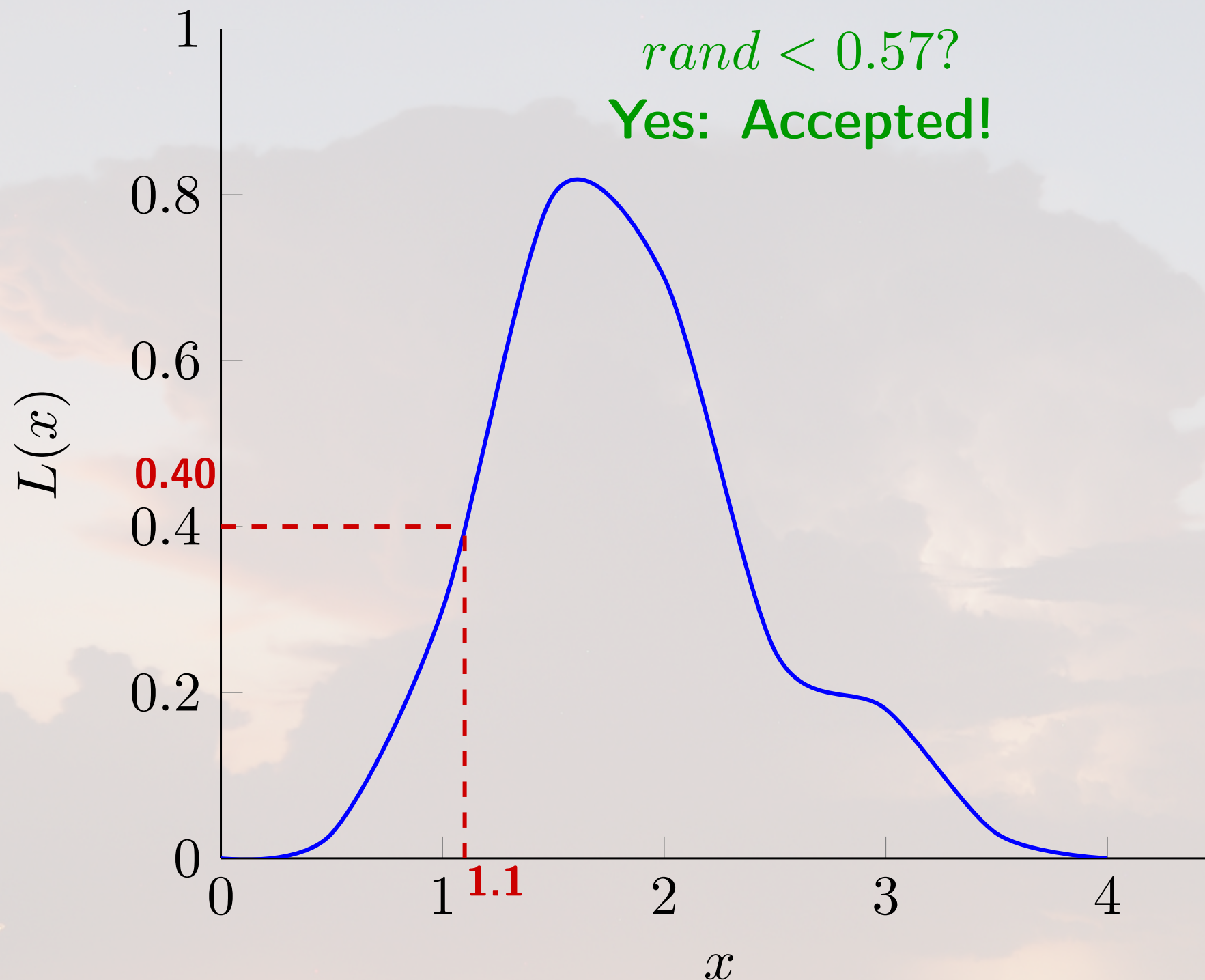
Acceptance probability =  $0.40/0.70 = 0.57$

$rand < 0.57?$

Yes: Accepted!

Markov Chain

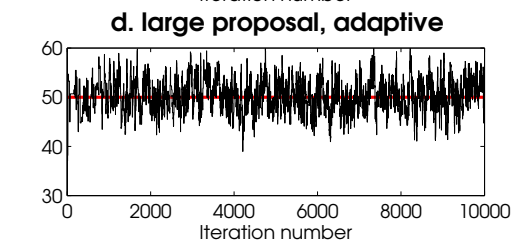
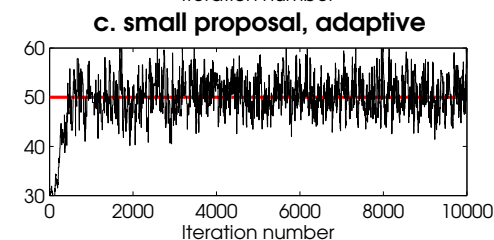
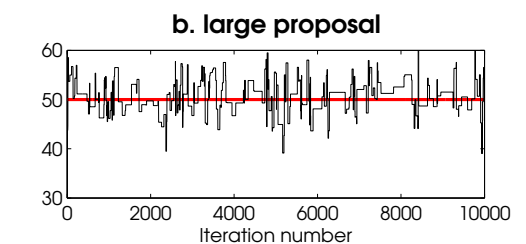
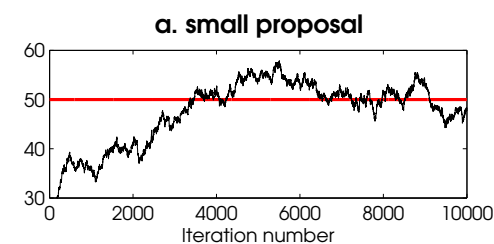
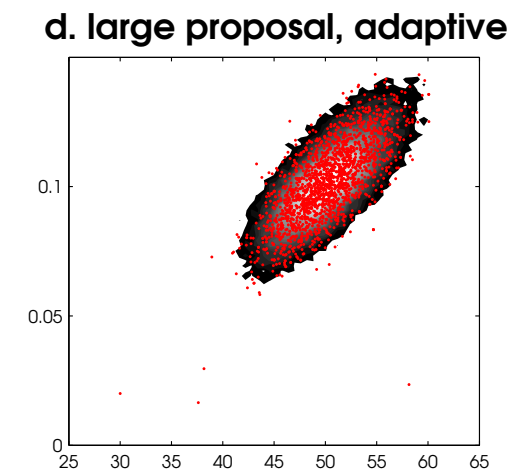
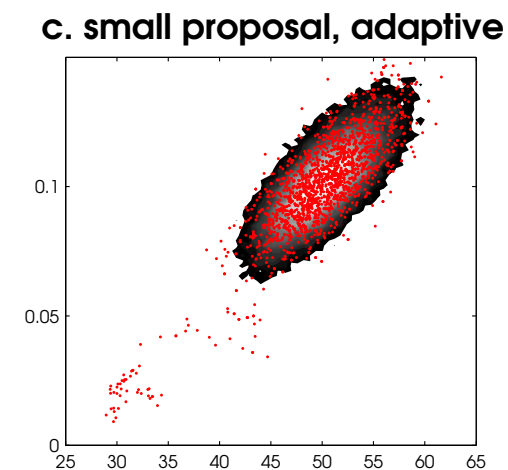
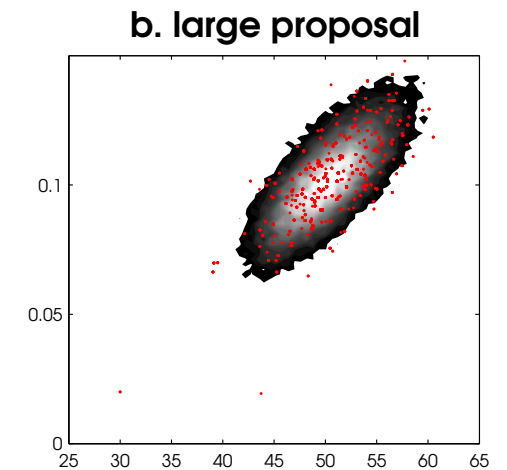
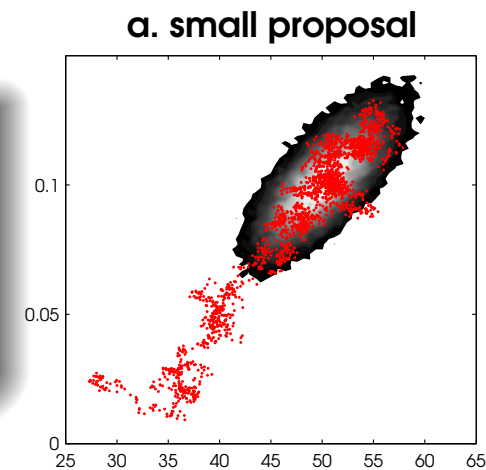
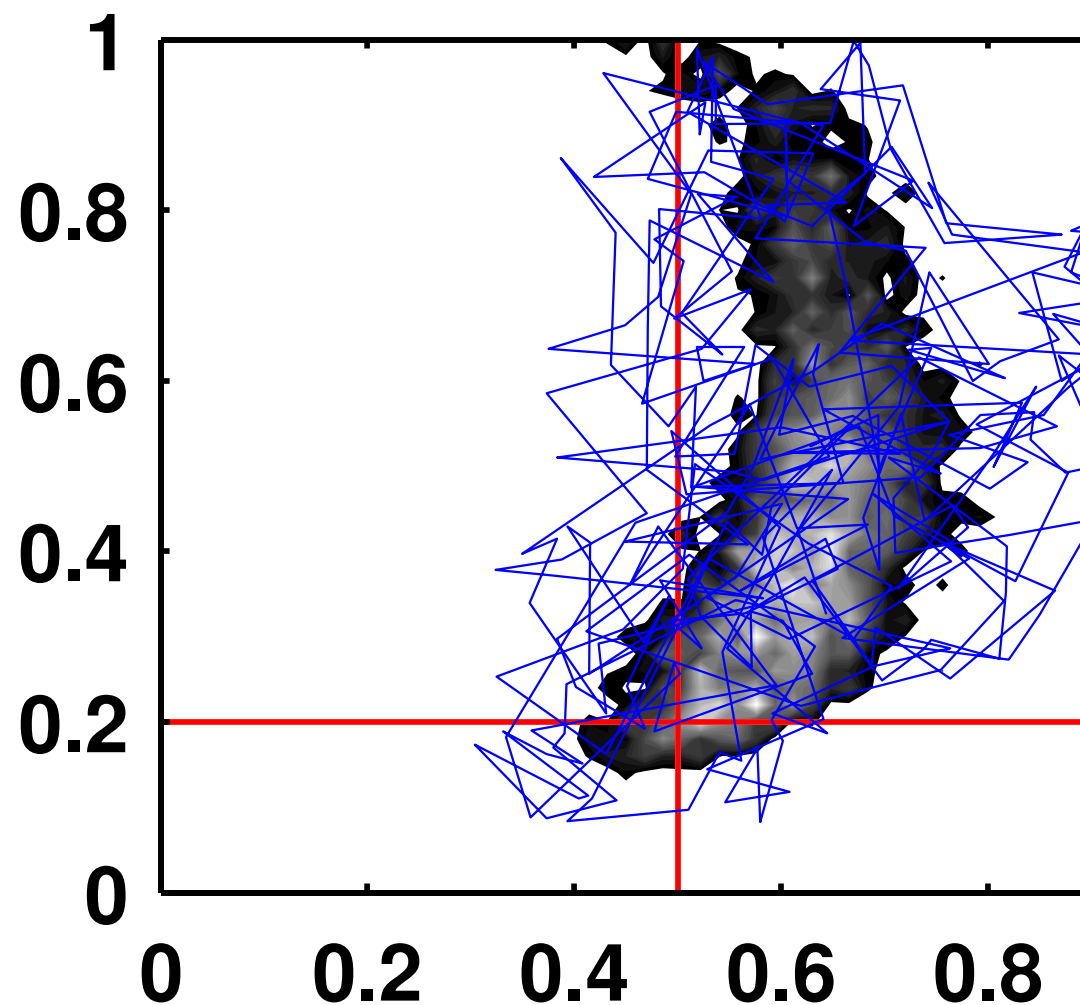
i	x(i)
1	1.3
2	2.0
3	2.0
4	1.1





# Markov Chain Monte Carlo probabilistic sampling

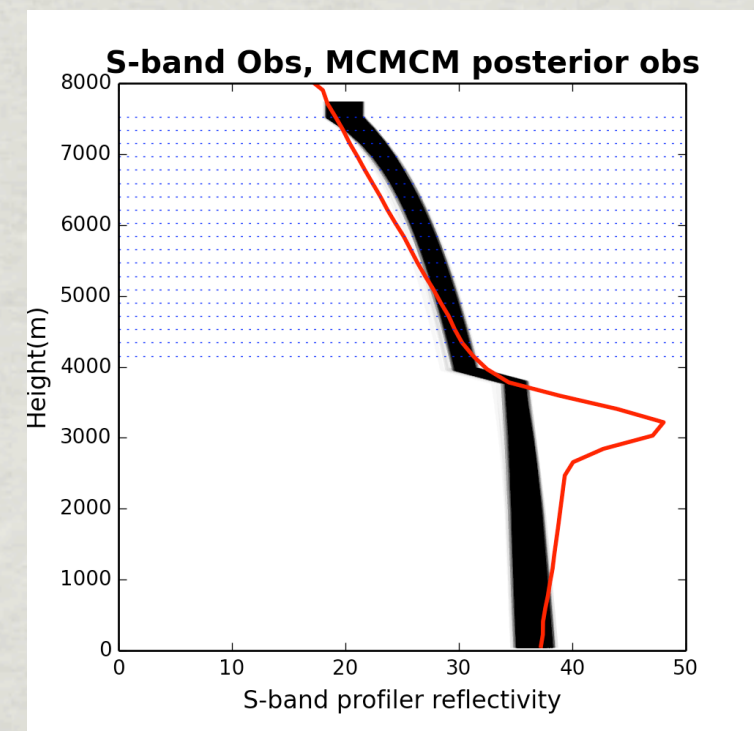
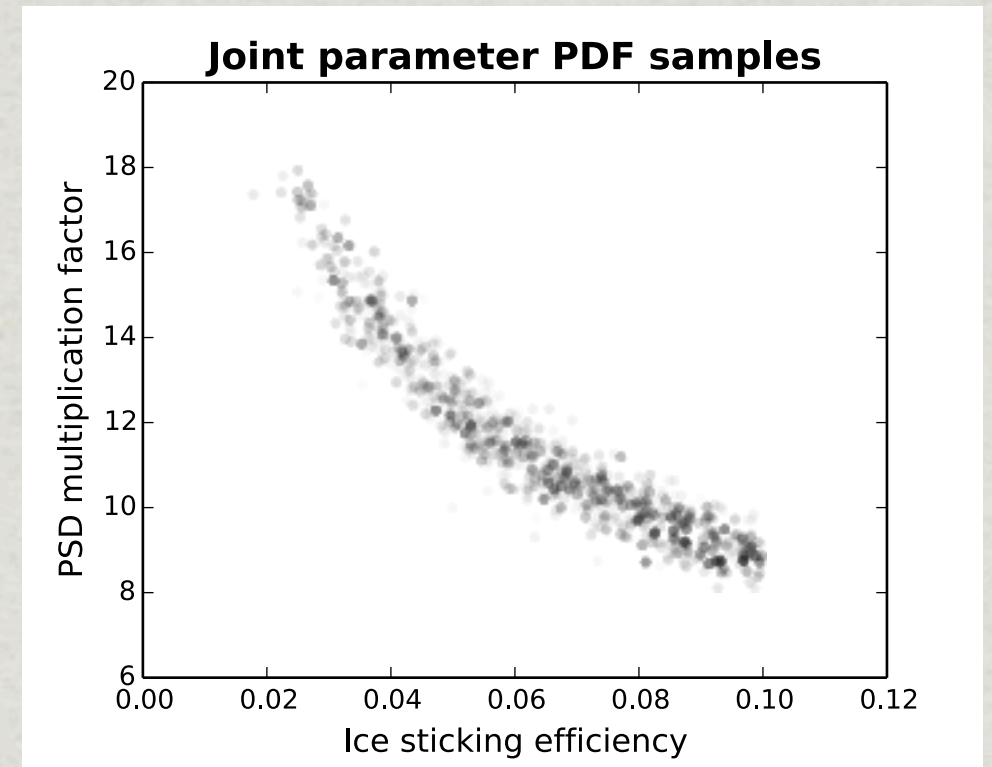
MCMC sampler proposes steps in parameter space, accepting/rejecting according to comparison of model to obs





# MCMC results

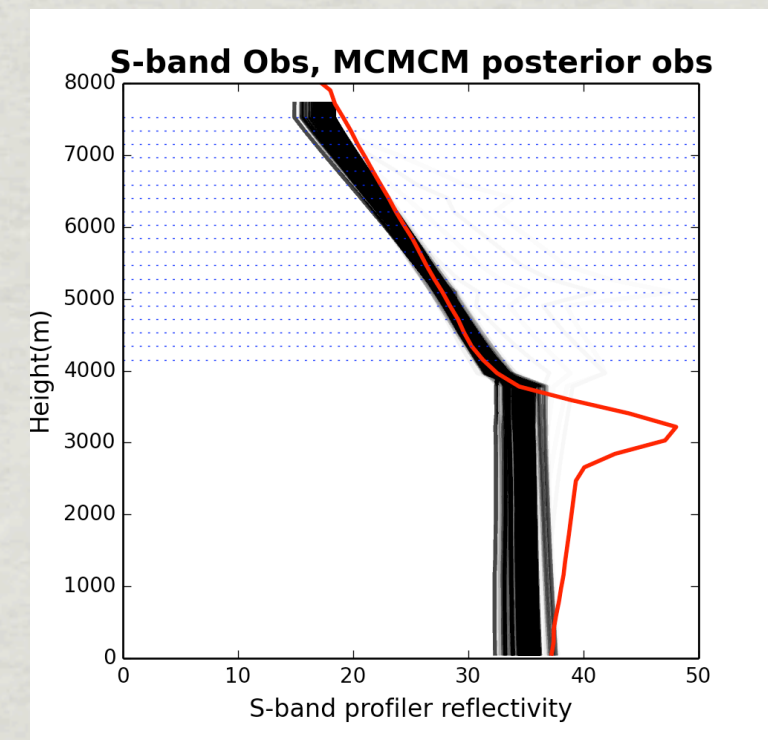
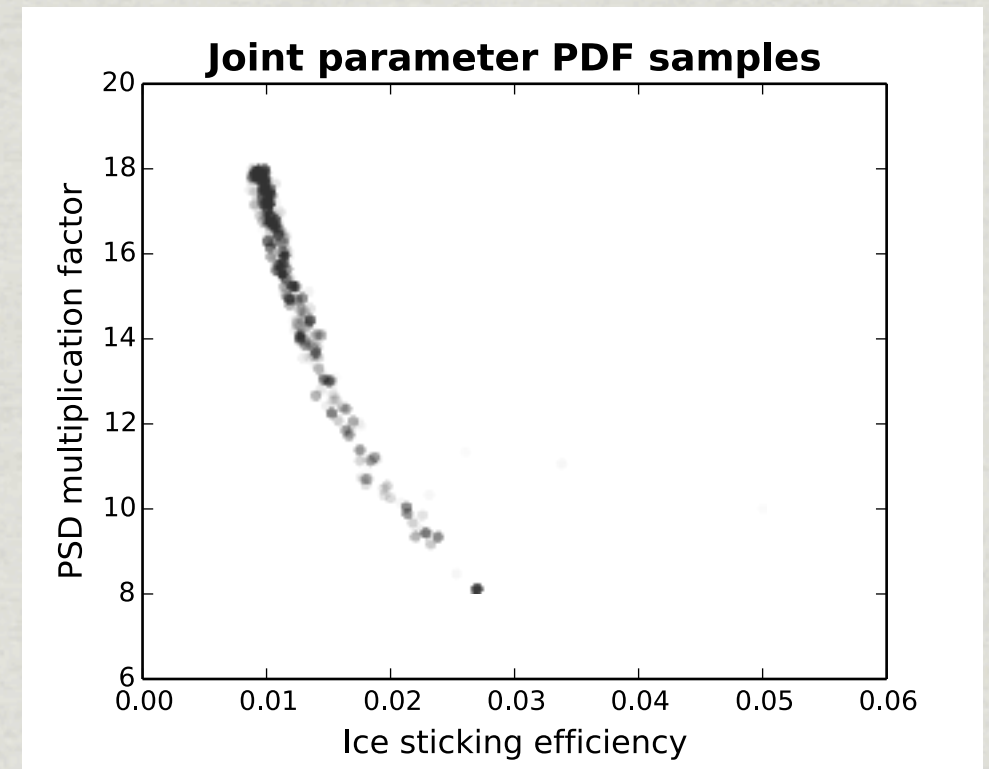
- \* Preliminary results:
  - \* constraint only by 0th moment of Doppler spectrum (reflectivity)
  - \* Perturbed parameters: Ice sticking efficiency (global), Total ice mass multiplier (uncertainty in initial ice mass)
  - \* van Diedenhoven et al 2012 ice treatment





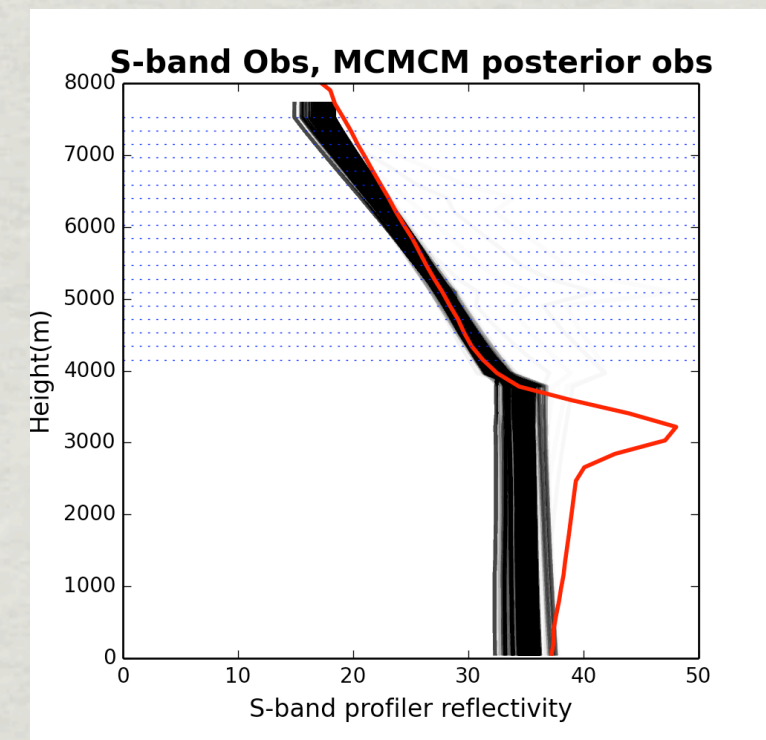
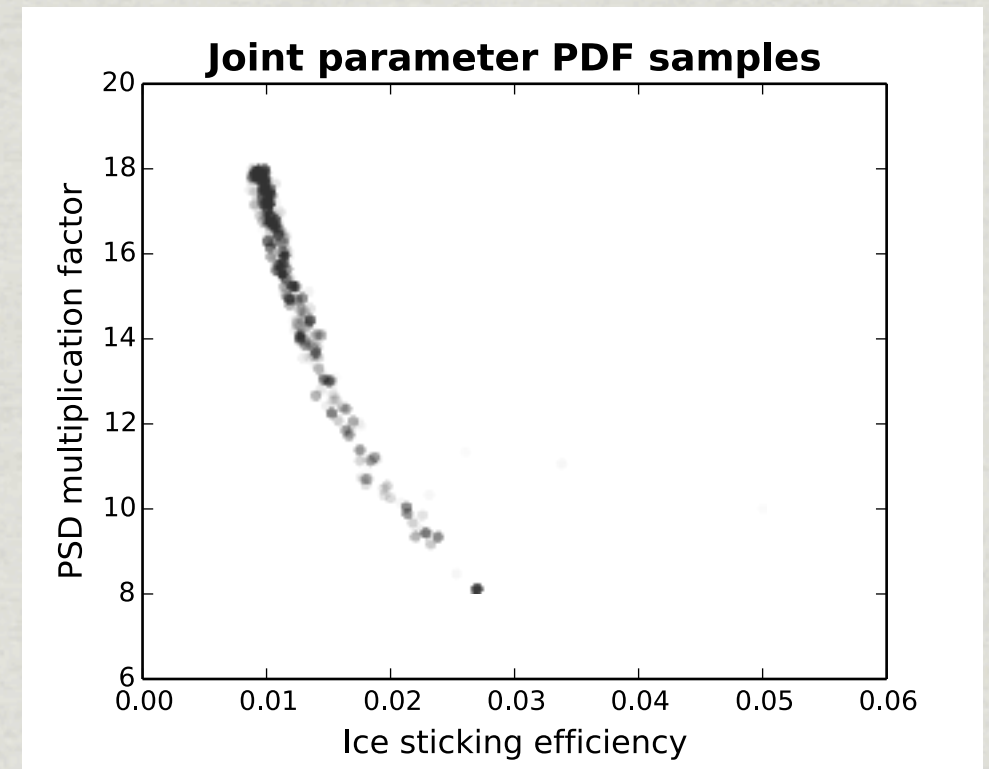
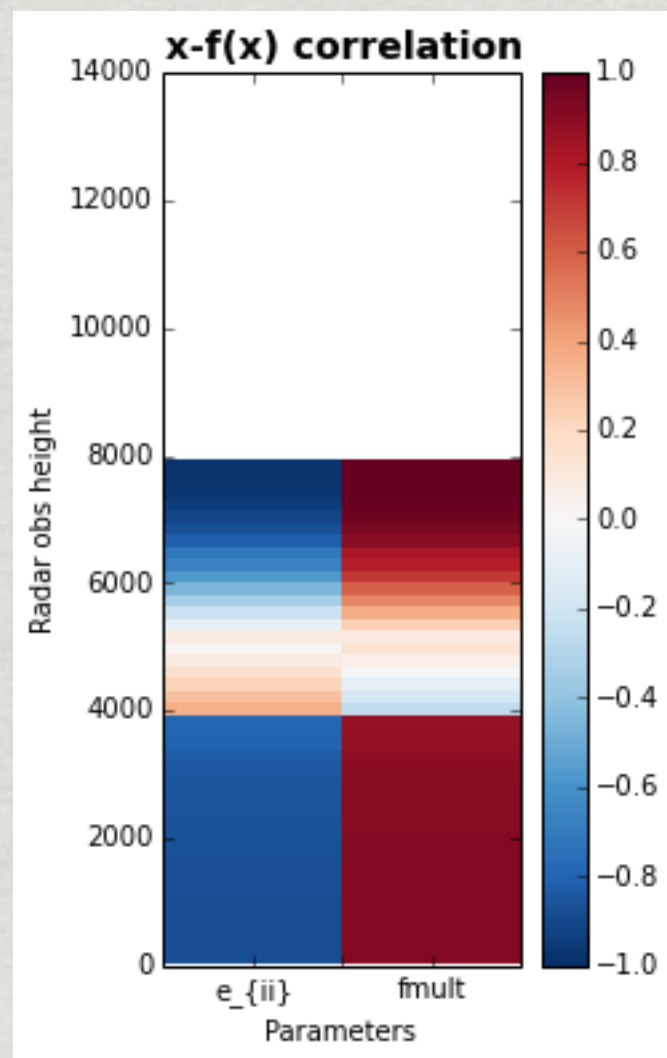
# MCMC results

- \* Preliminary results:
  - \* constraint only by 0th moment of Doppler spectrum (reflectivity)
  - \* Perturbed parameters: Ice sticking efficiency (global), Total ice mass multiplier (uncertainty in initial ice mass)
  - \* Brown & Francis 1995 ice treatment



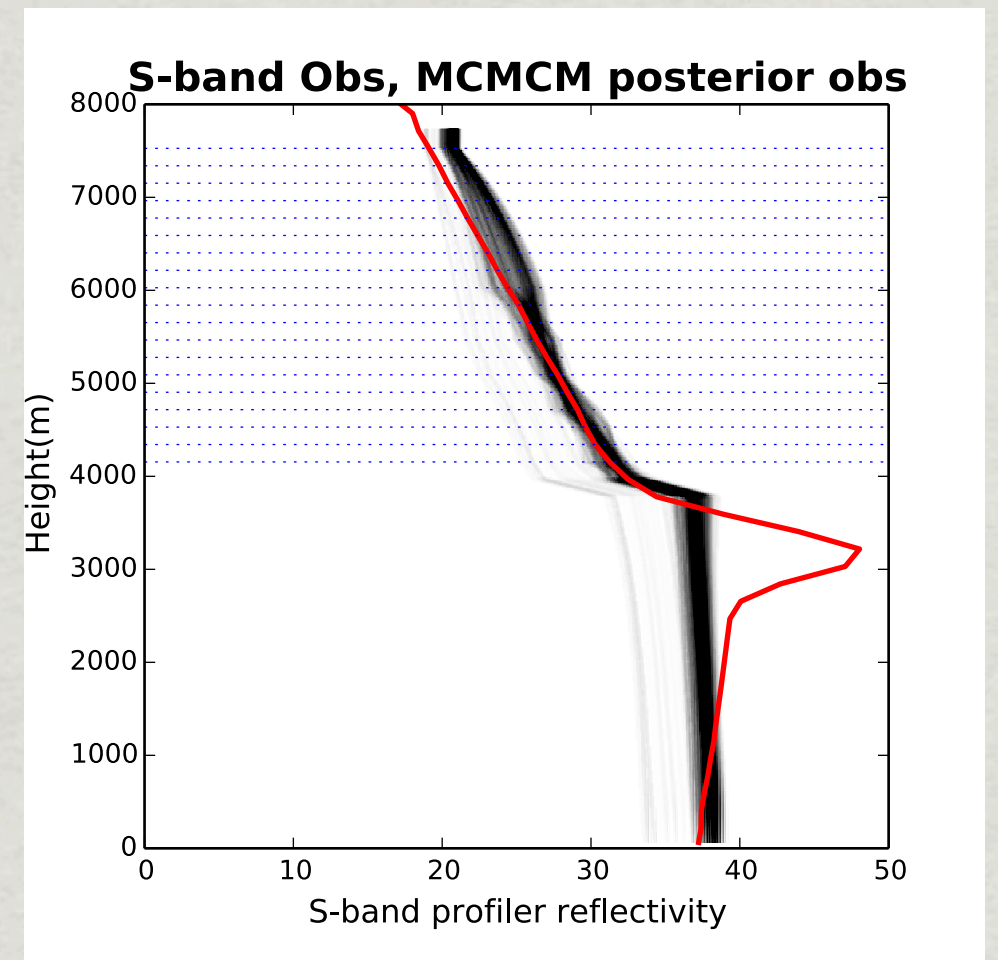
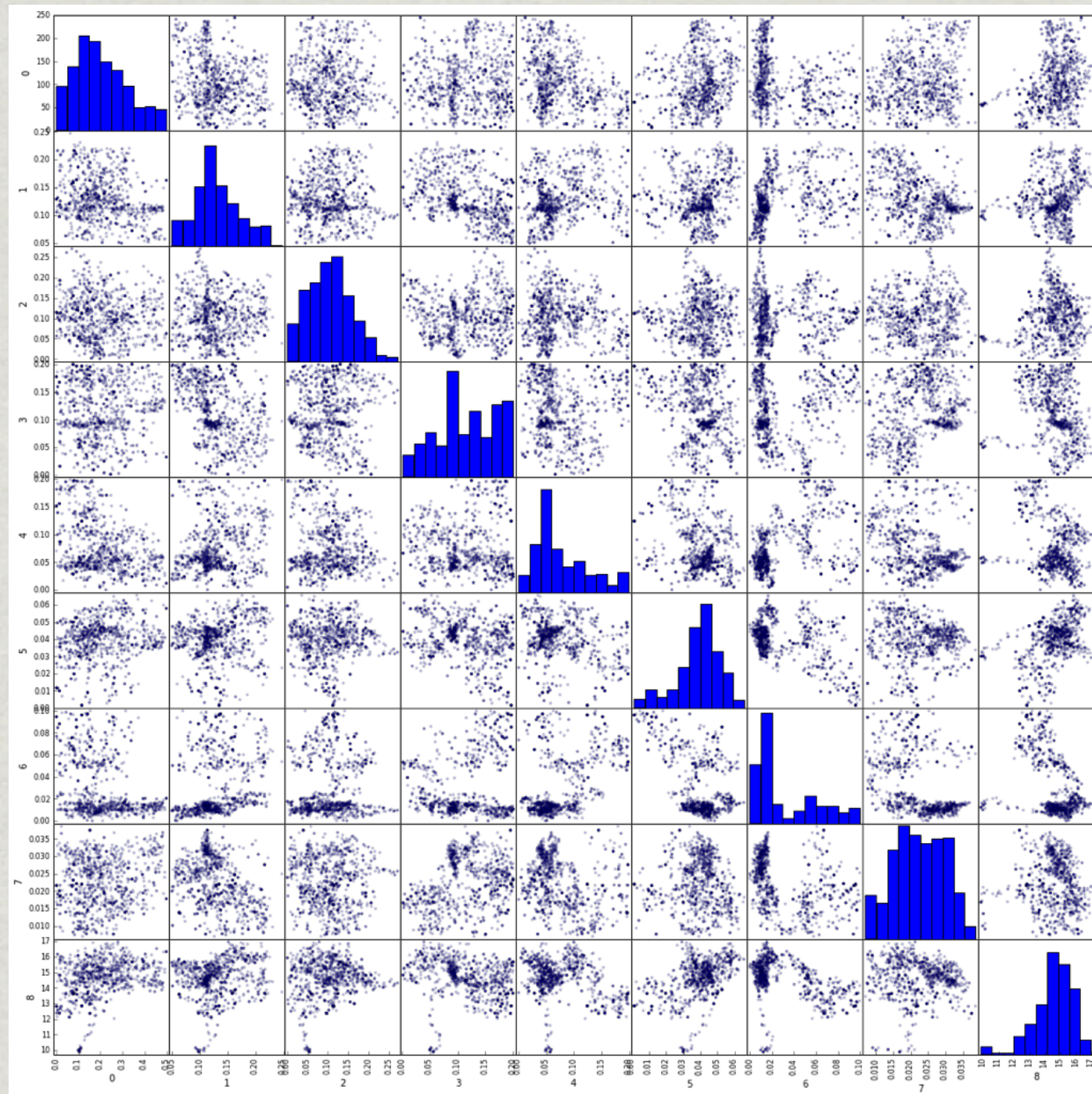


# MCMC results





# Temperature-dependent Ice sticking efficiency





# Summary

- \* Radar Doppler spectrum being used in probabilistic (Bayesian) framework to estimate microphysical parameters in the presence of model uncertainty and observational error
- \* Ongoing work:
  - \* Utilize full Doppler spectrum from KAZR
  - \* Robustly estimate temperature-dependence (and other dependence) of ice sticking
  - \* Investigate relevance of uncertainty to CRMs and GCMs



# KAZR AIR VELOCITY ESTIMATE (DOWNWARD BIASED)

